

Sinteza električnih filtara

Dr Miroslav Lutovac

SC filtri (integrirana kola)

- Nema slabljenja u propusnom opsegu
- Moguća pojačanja u propusnom opsegu
- Realizacija svih vrsta filtara sa jednim univerzalnim IC
- Nema L
- Nema C (da se dodaju spolja)
- Minimalan broj R
- Ulazna impedansa je velika
- Izlazna impedansa je mala
- Male dimenzije i težina
- Jednostavno podešavanje
- Rad na niskim učestanostima (oko 0.1 Hz)
- Jednostavan postupak sinteze
- Kratko vreme projektovanja

SC filtri - nedostaci

- Aktivne komponente generišu šum
- Ograničen dinamički opseg na oko 80 dB
- Gornja granica rada do 200 kHz
- Pojava komponenti visokih učestanosti (od takta na kome radi)
- Potrebno eksterno napajanje
- Potreban eksterni klok signal (u nekim slučajevima)

SC filtri – princip rada

- R se simulira sa C i prekidačima
- Otpornost otpornika se definiše kao količnik napona na R i struje kroz R
- Kada se na C dovodi napon V_s sa taktom f_{CLK} , srednja struje je proporcionalna sa $q=CV_s$

$$I_{average} = V_s C f_{CLK}$$

$$R = \frac{V_s}{I_{average}} = \frac{1}{C f_{CLK}}$$

Tolerancije - osetljivost

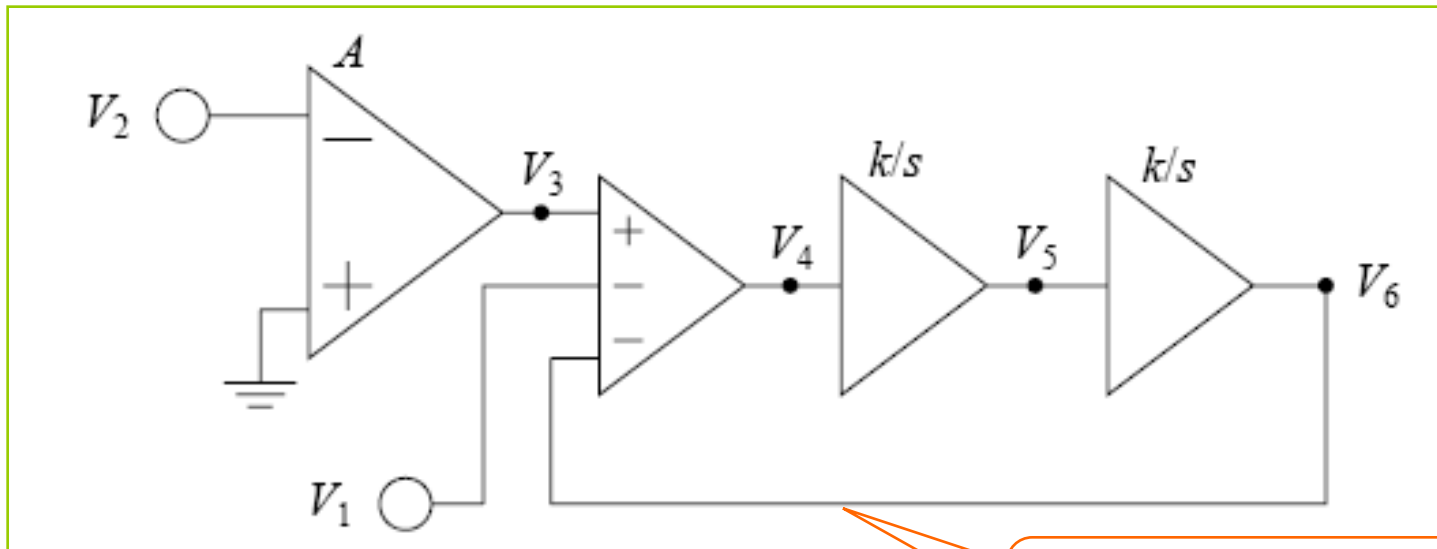
- Tolerancije vrednosti kondenzator 30%
- Relativan odnos r_s je sa tolerancijama 0.1%

Zavisi od tolerancija takta

$$\omega_p = \frac{1}{R_1 C_2} = \frac{1}{\frac{1}{C_1 f_{CLK}} C_2} = \frac{C_1}{C_2} f_{CLK} = r_c f_{CLK}$$

$$\left| S_{\omega_p}^{M(\omega)}(\omega) \right|_{\max} \approx Q_p \left| S_{Q_p}^{M(\omega)}(\omega) \right|_{\max}$$

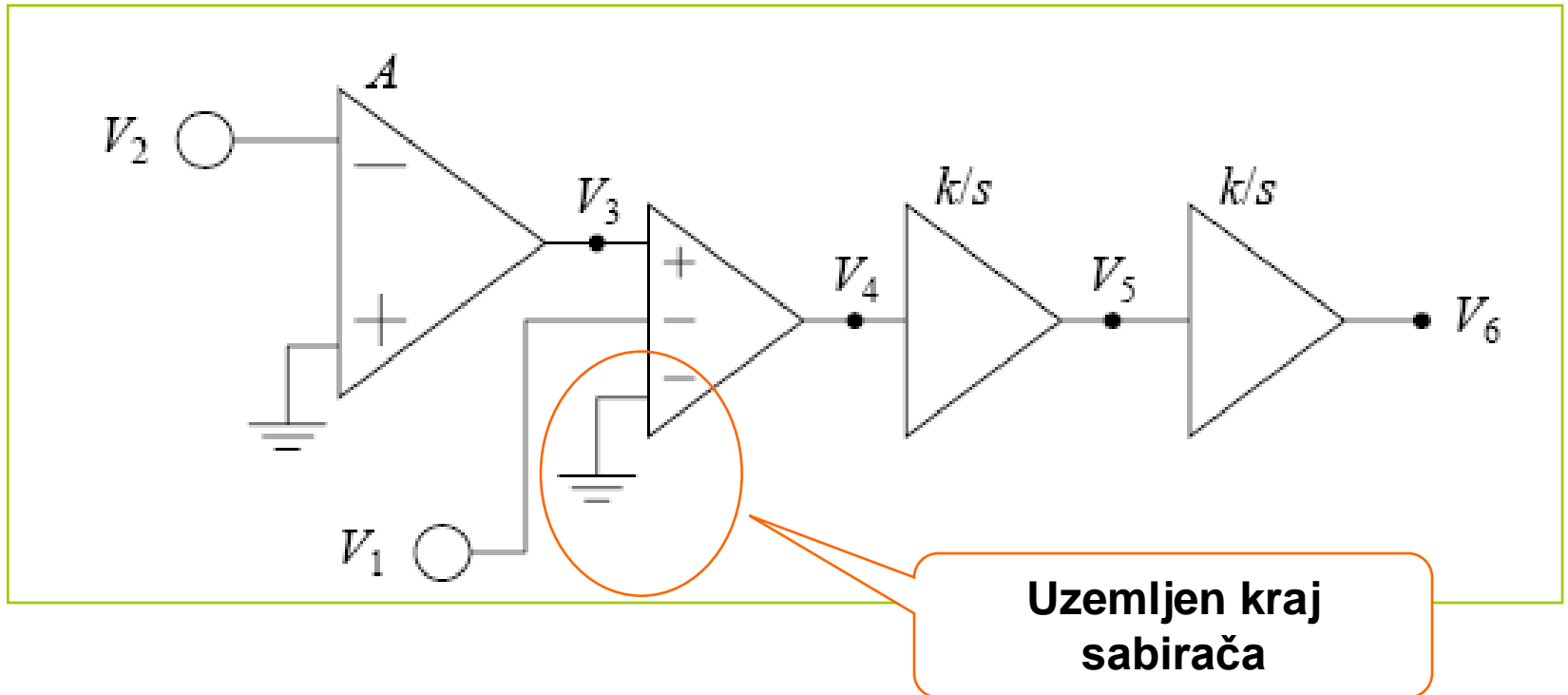
Univerzalno IC (1)



Sa povratnom spregom

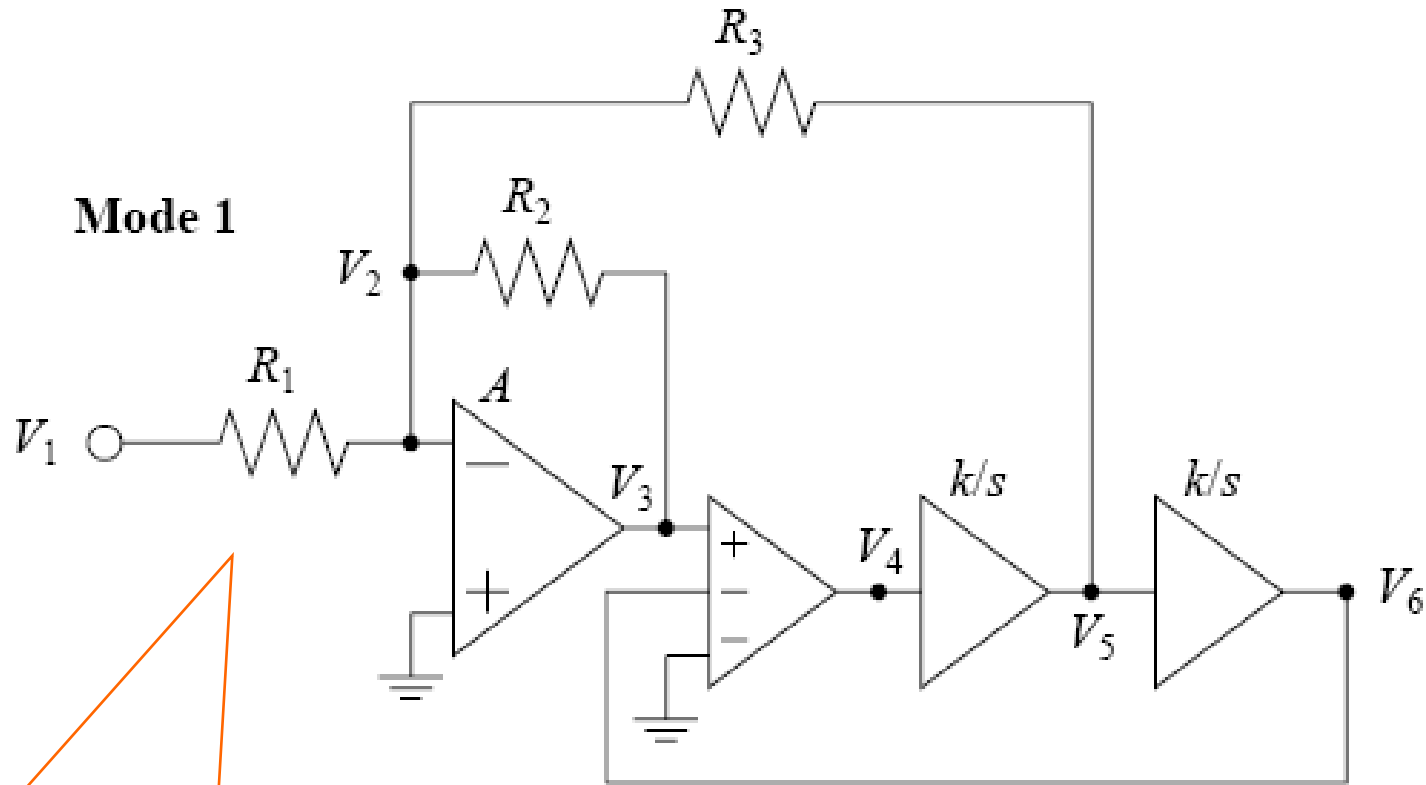
$$k = \frac{2\pi}{P} f_{CLK}, \quad P = 50 \quad \text{or} \quad P = 100$$

Univerzalno IC (2)



$$k = \frac{2\pi}{P} f_{CLK}, \quad P = 50 \quad \text{or} \quad P = 100$$

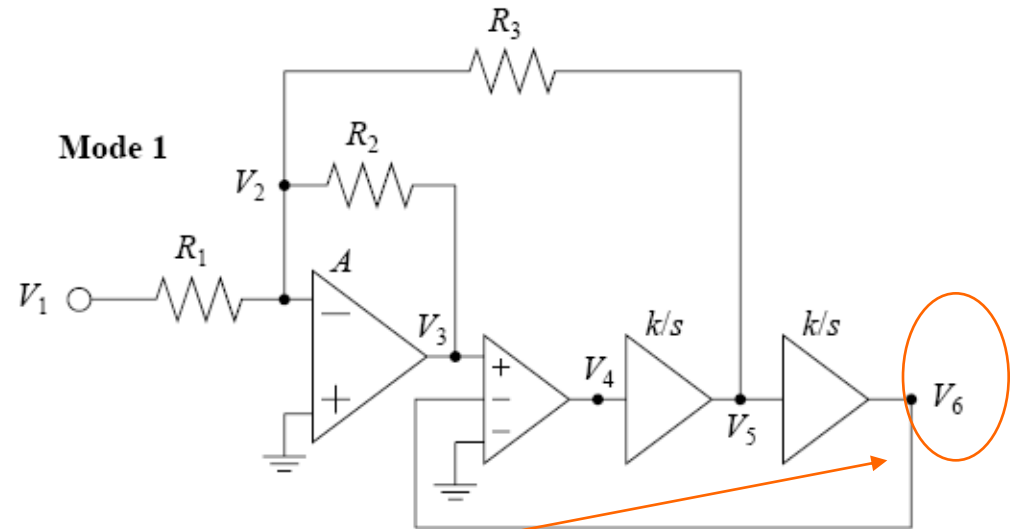
Mode 1 SC biquad



gain-sensitivity product of the pole magnitude to the gain of the operational amplifier = 0

implementation of SC filters at higher frequencies

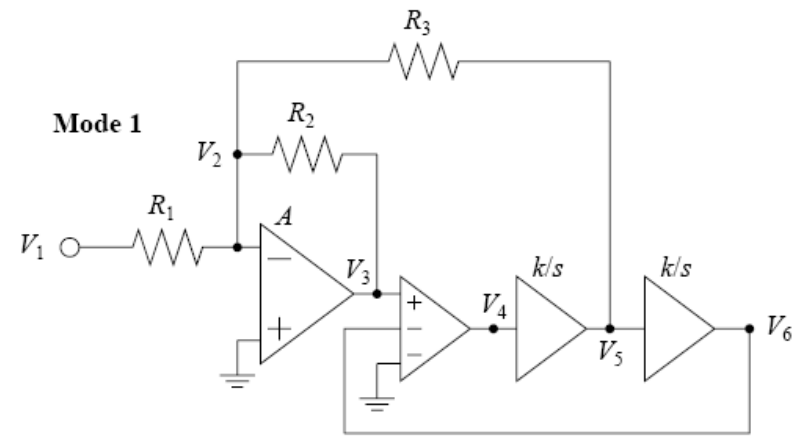
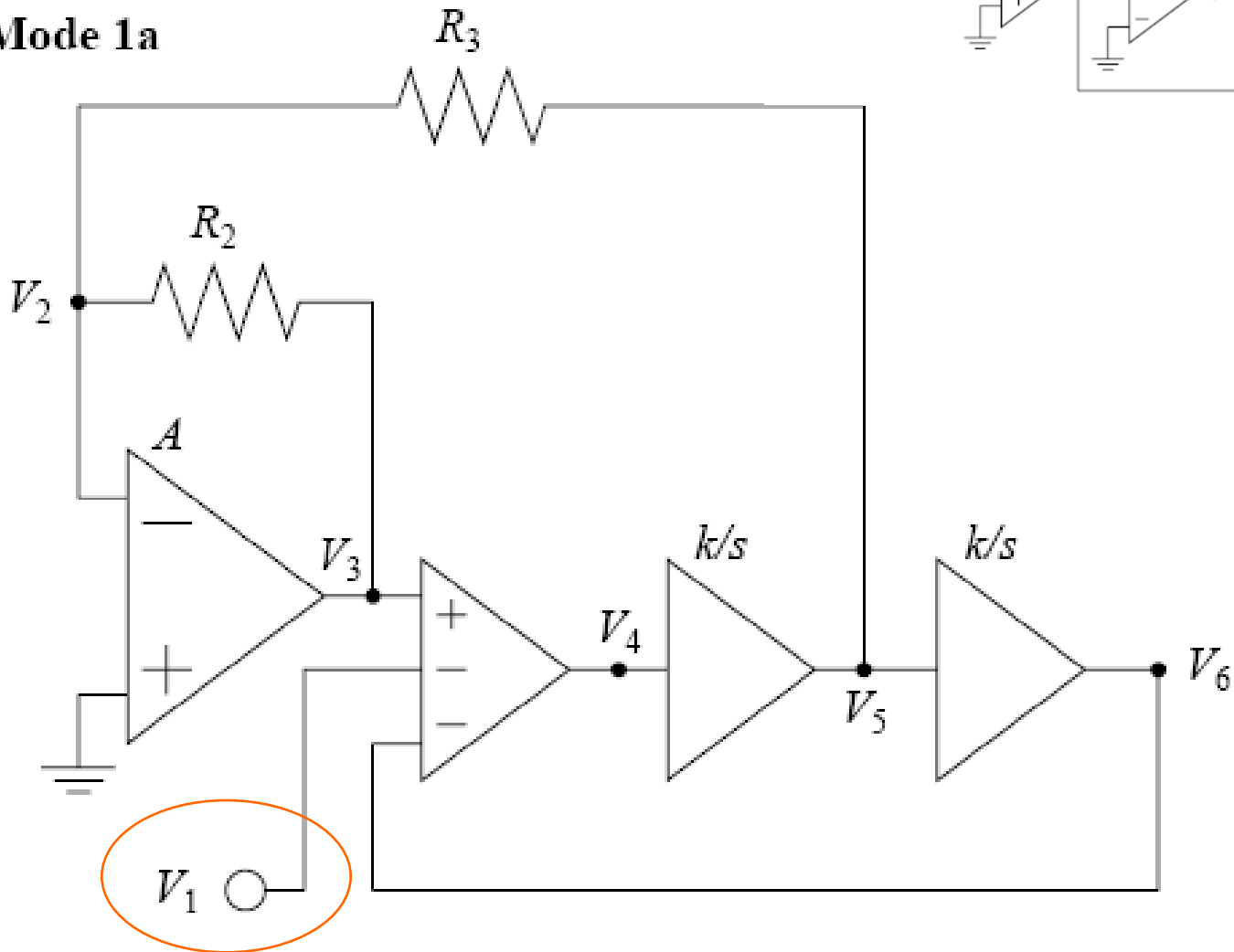
Propusnici niskih učestanosti



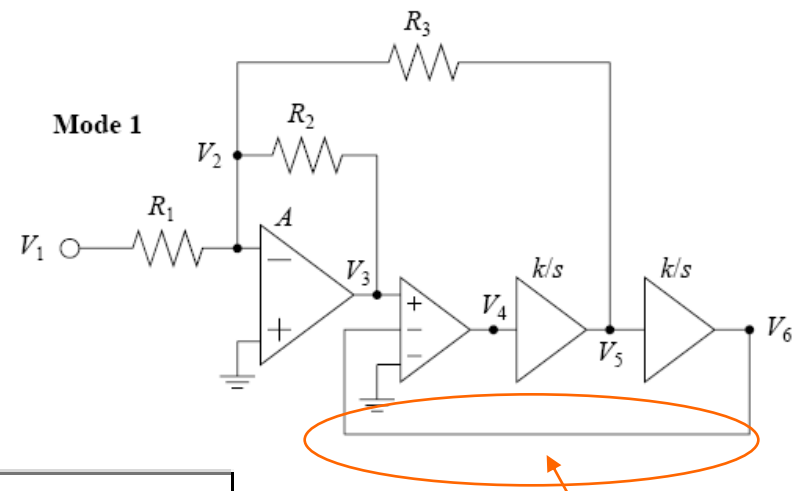
Mode	$\frac{V_6}{V_1}$	$\frac{V_5}{V_1}$
1, 1a, 1b, 1c, 1d, 2, 2a, 2b, 3, 3a, 4, 4a, 5	$H_{LTP} = K \frac{\omega_p^2}{s^2 + \frac{\omega_p}{Q_p}s + \omega_p^2}$	$H_{BTP} = K \frac{\frac{\omega_p}{Q_p}s}{s^2 + \frac{\omega_p}{Q_p}s + \omega_p^2}$
6a, 6b, 7	Not applicable	$H_{LTP} = K \frac{\omega_p}{s + \omega_p}$

Mode 1a

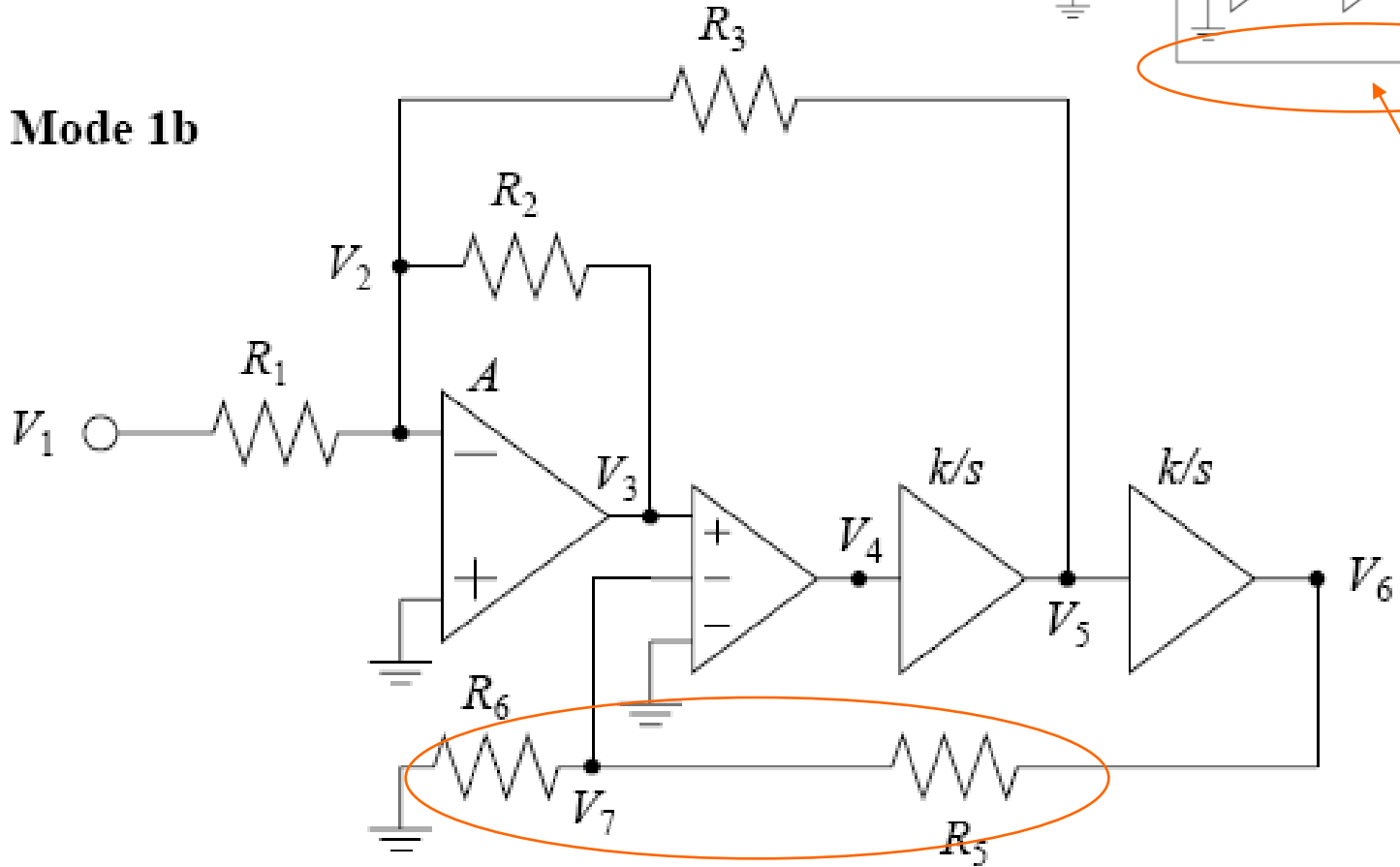
Mode 1a



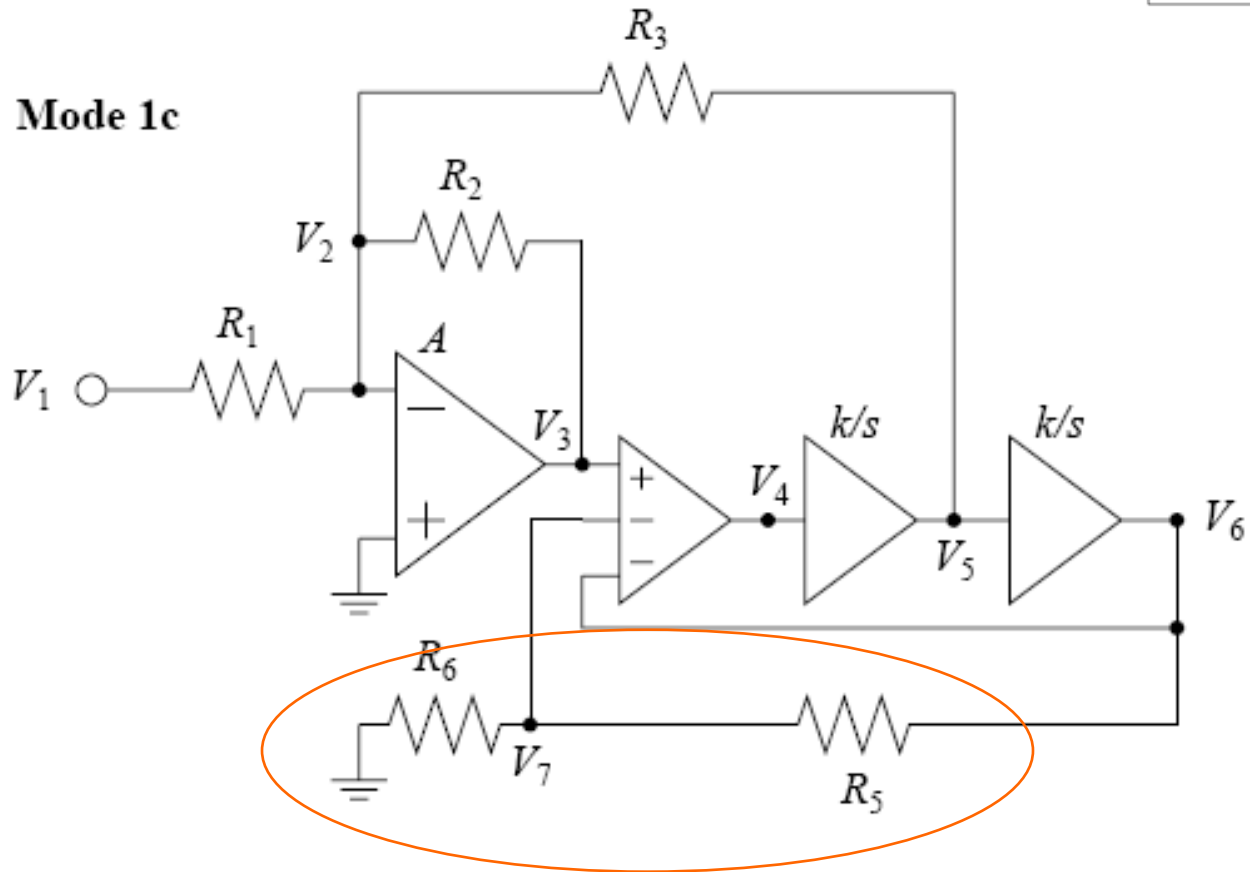
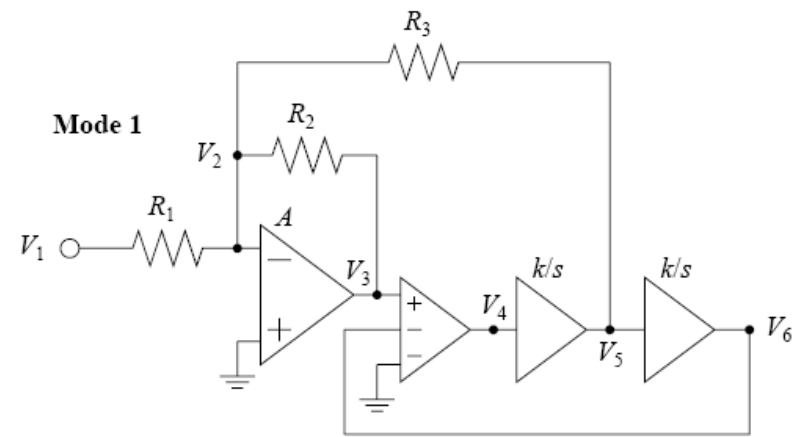
Mode 1b



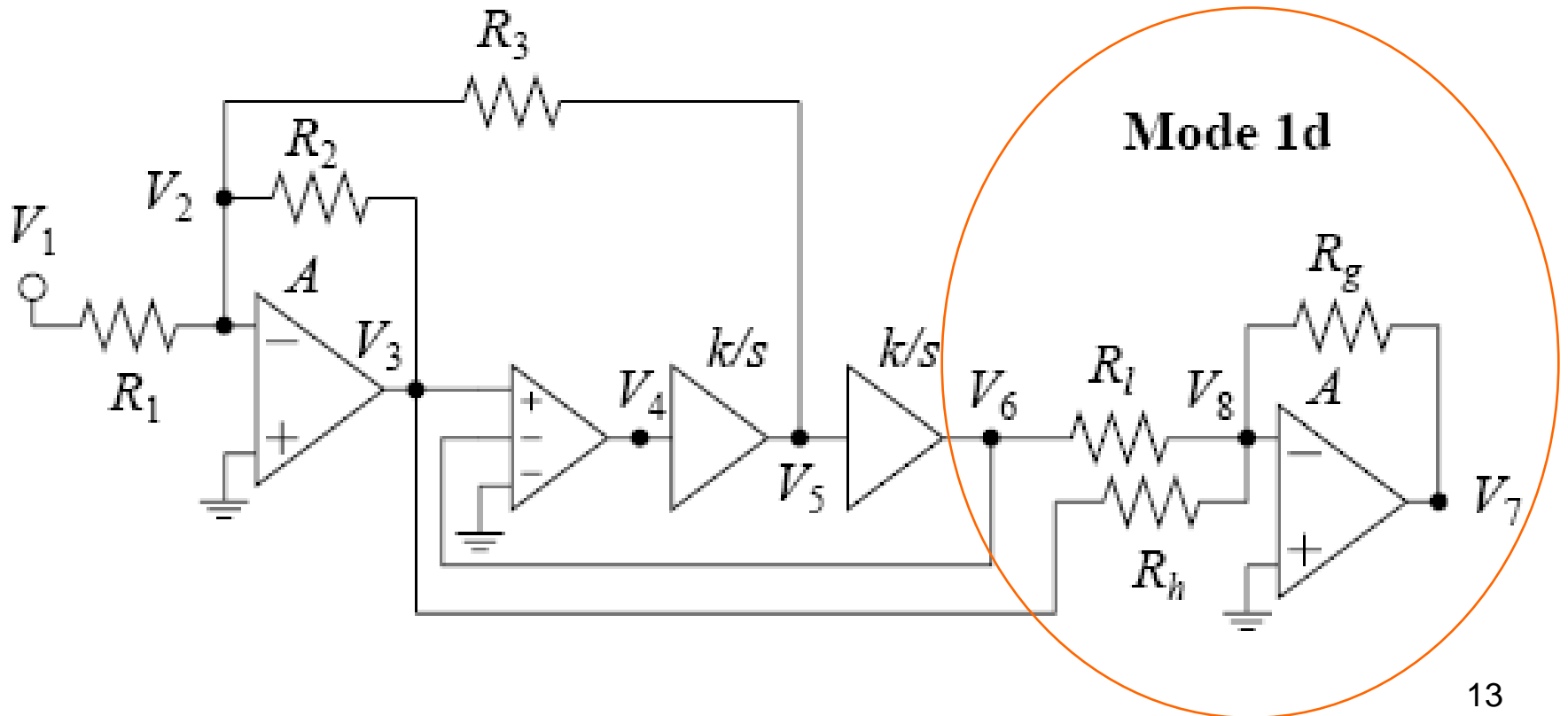
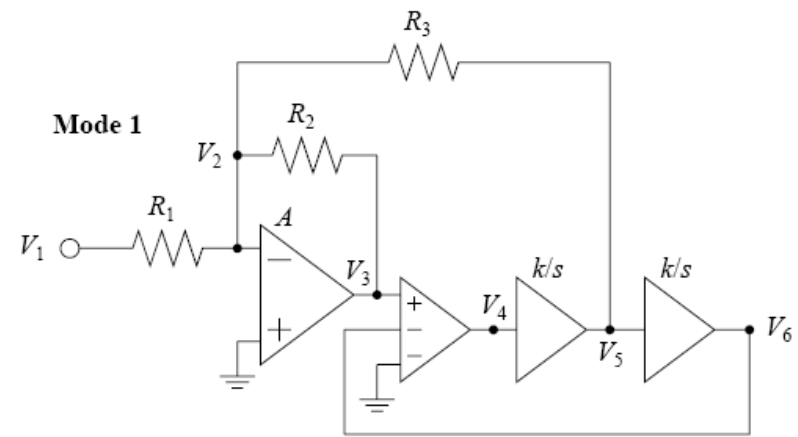
Mode 1b



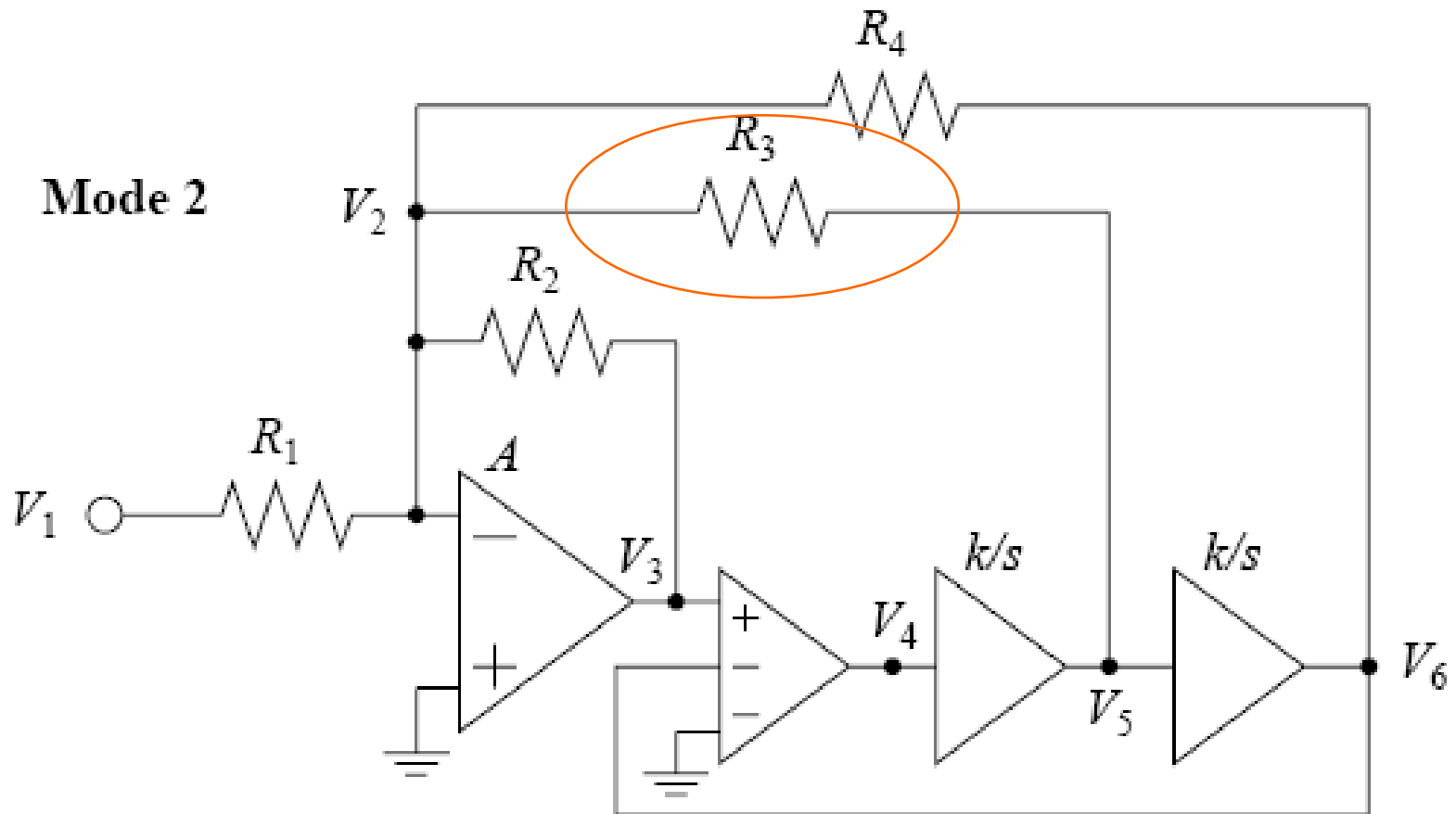
Mode 1c



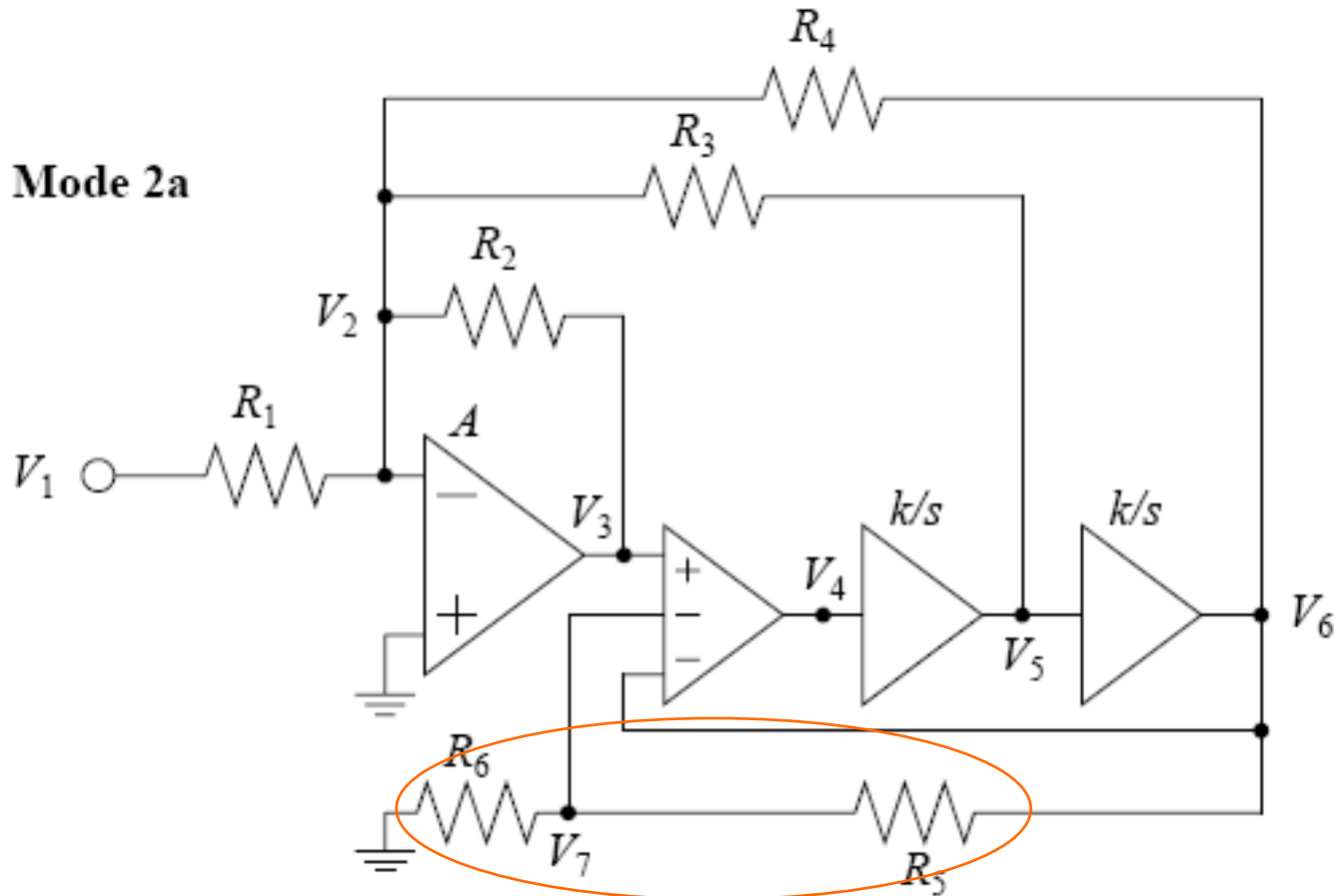
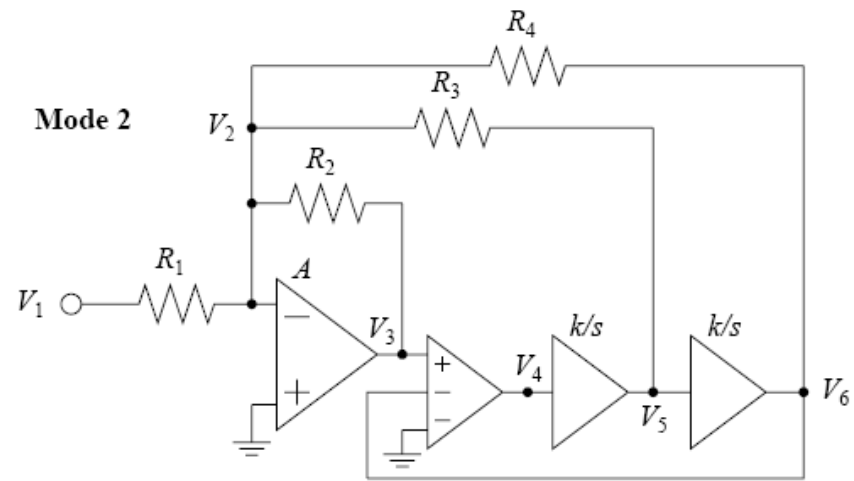
Mode 1d



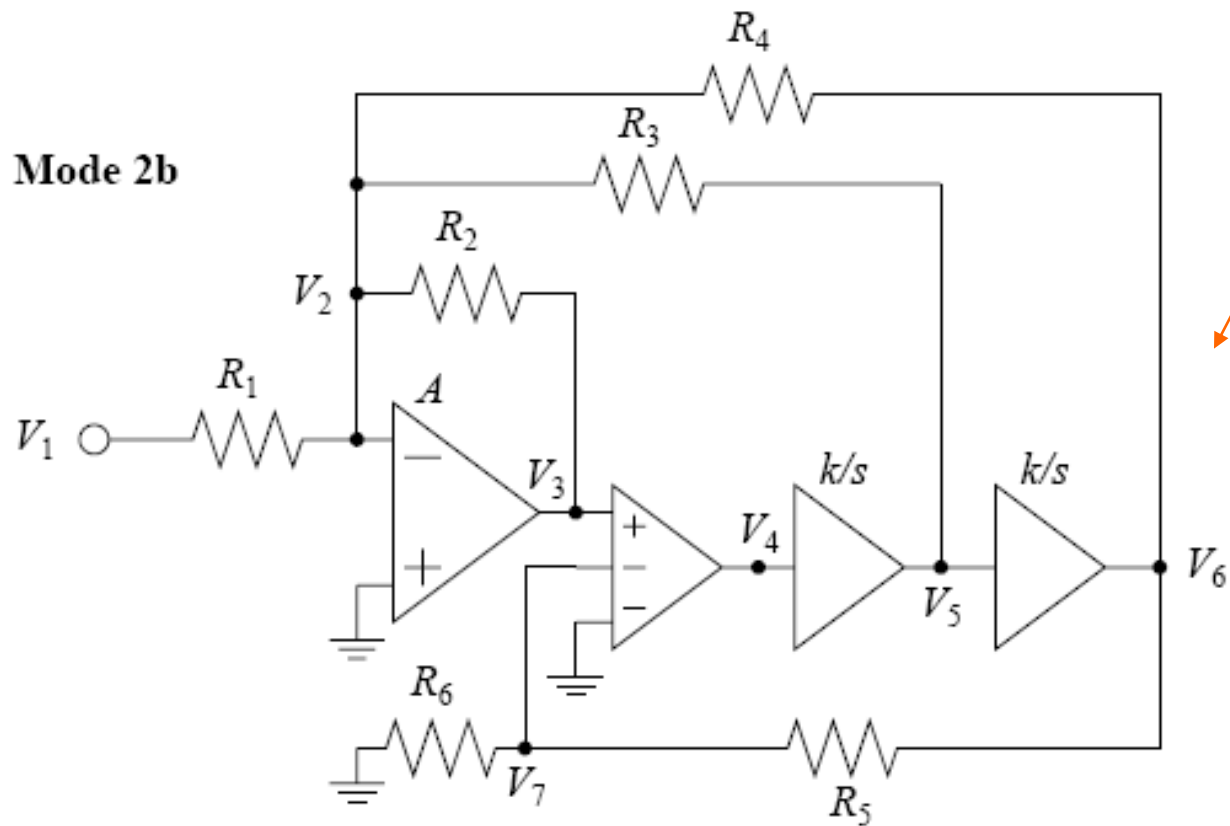
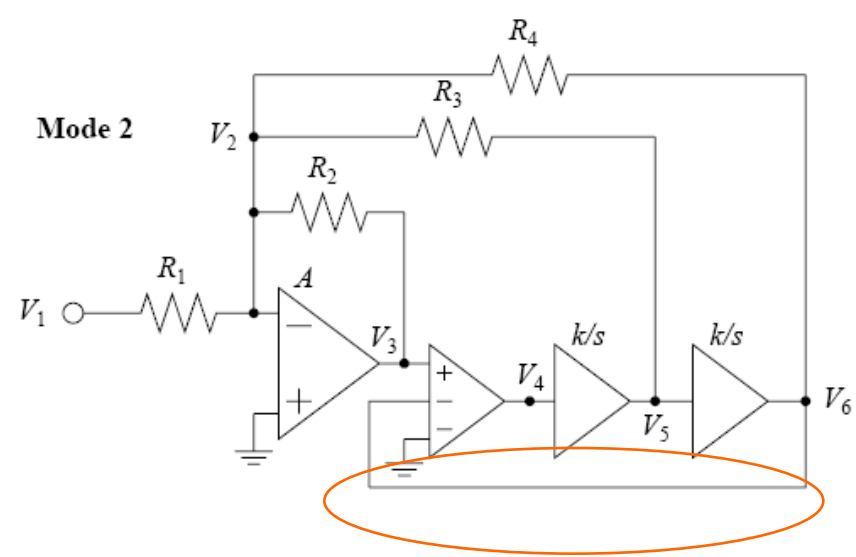
Mode 2



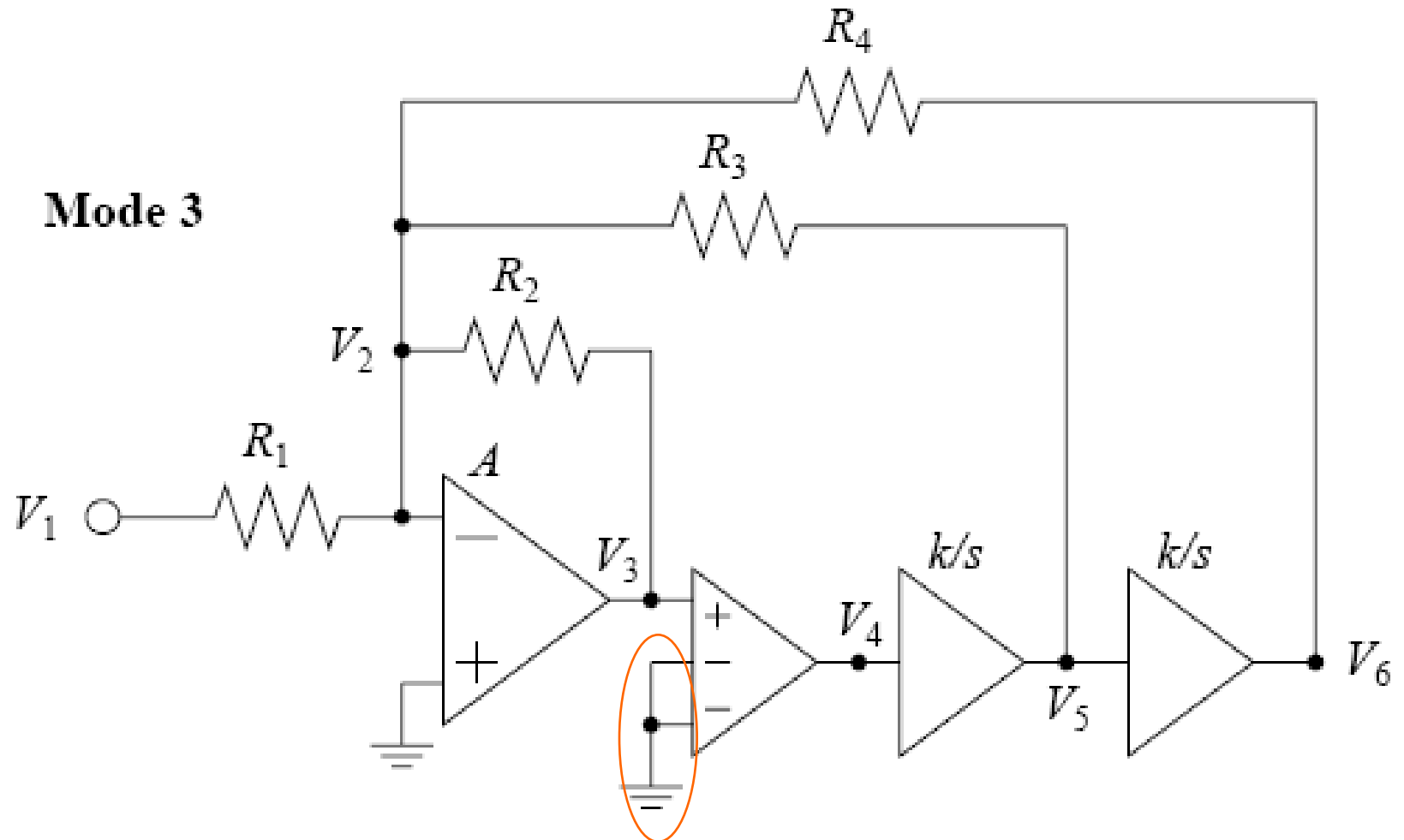
Mode 2a



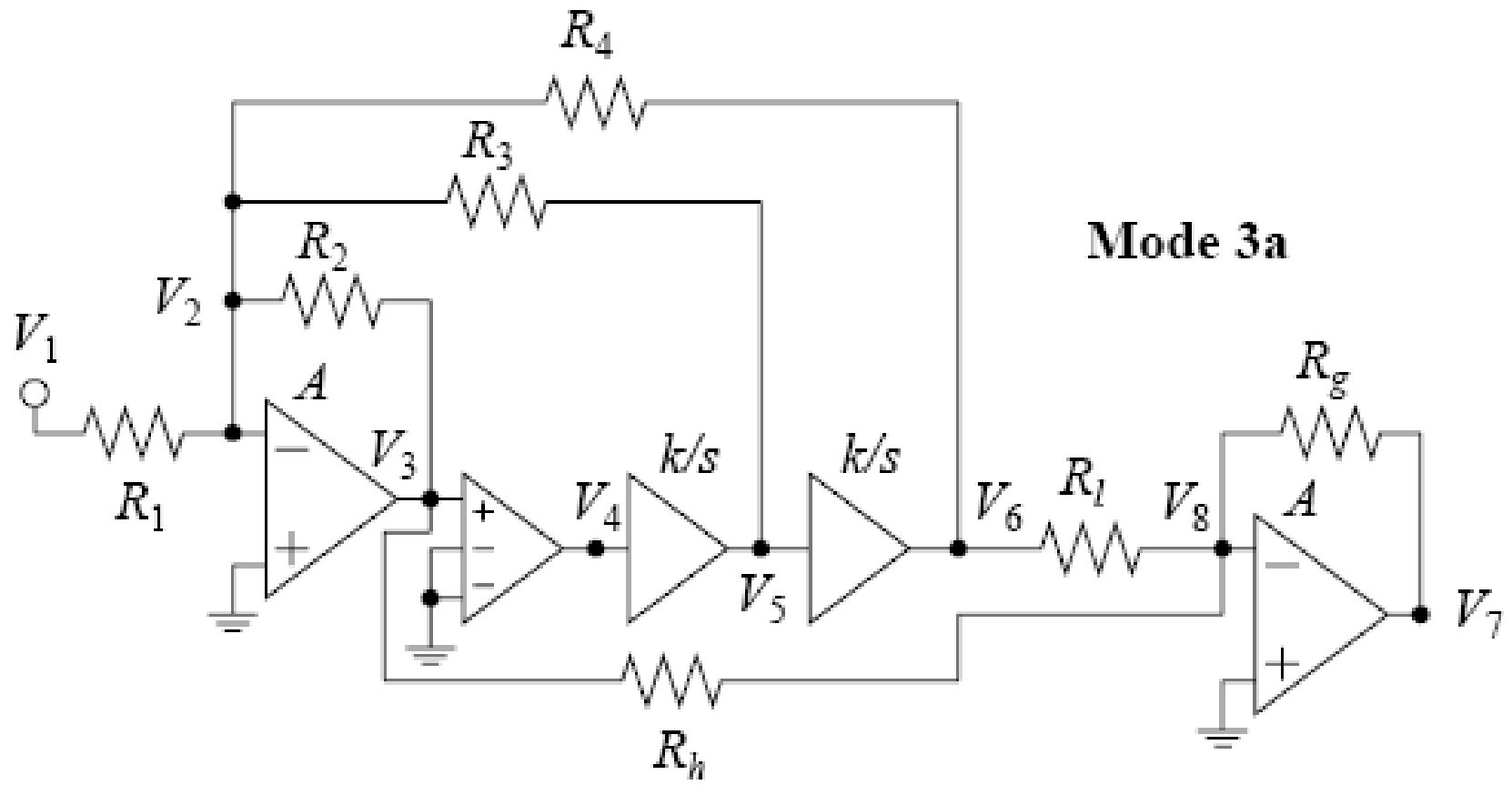
Mode 2b



Mode 3

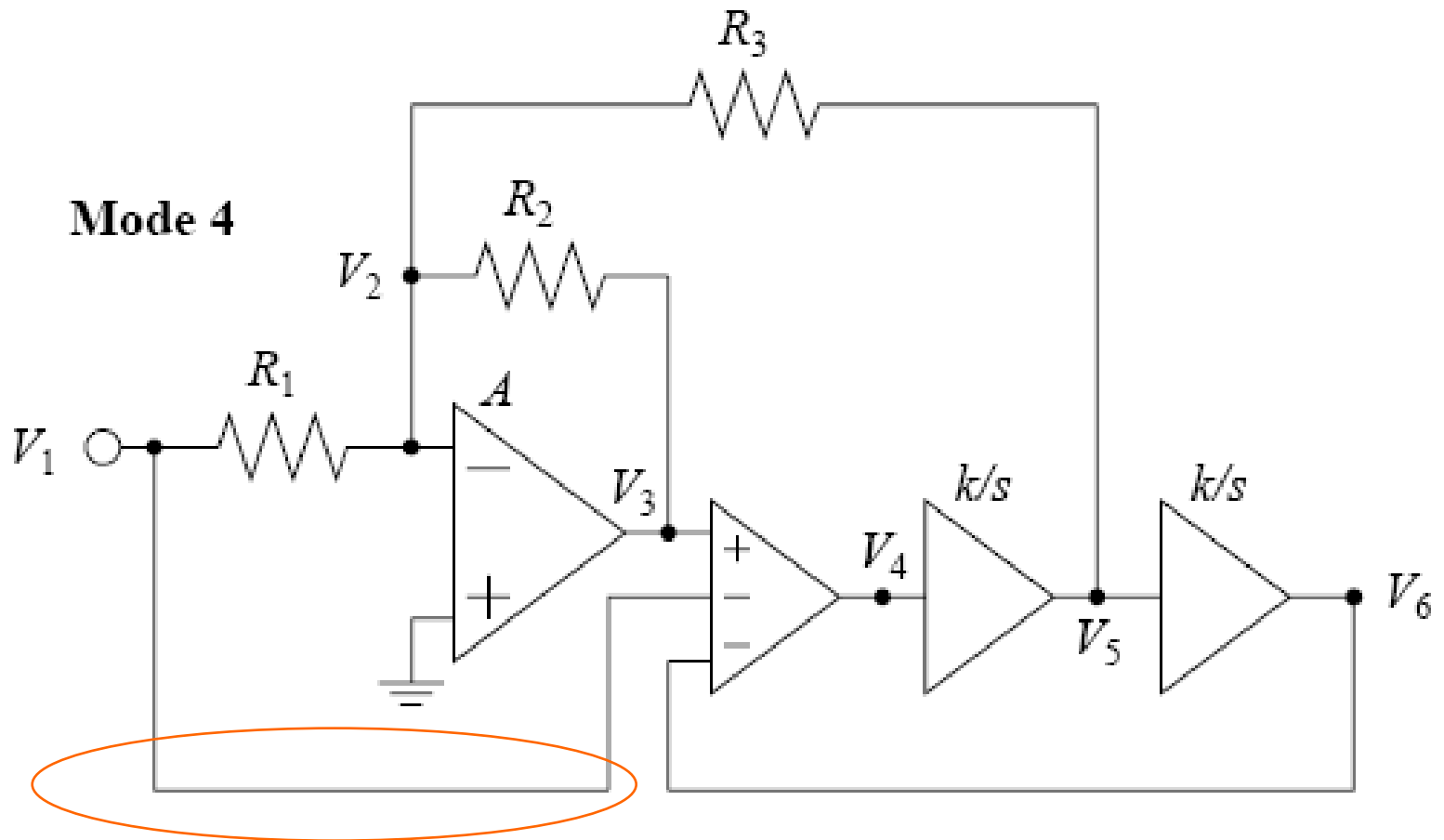


Mode 3a

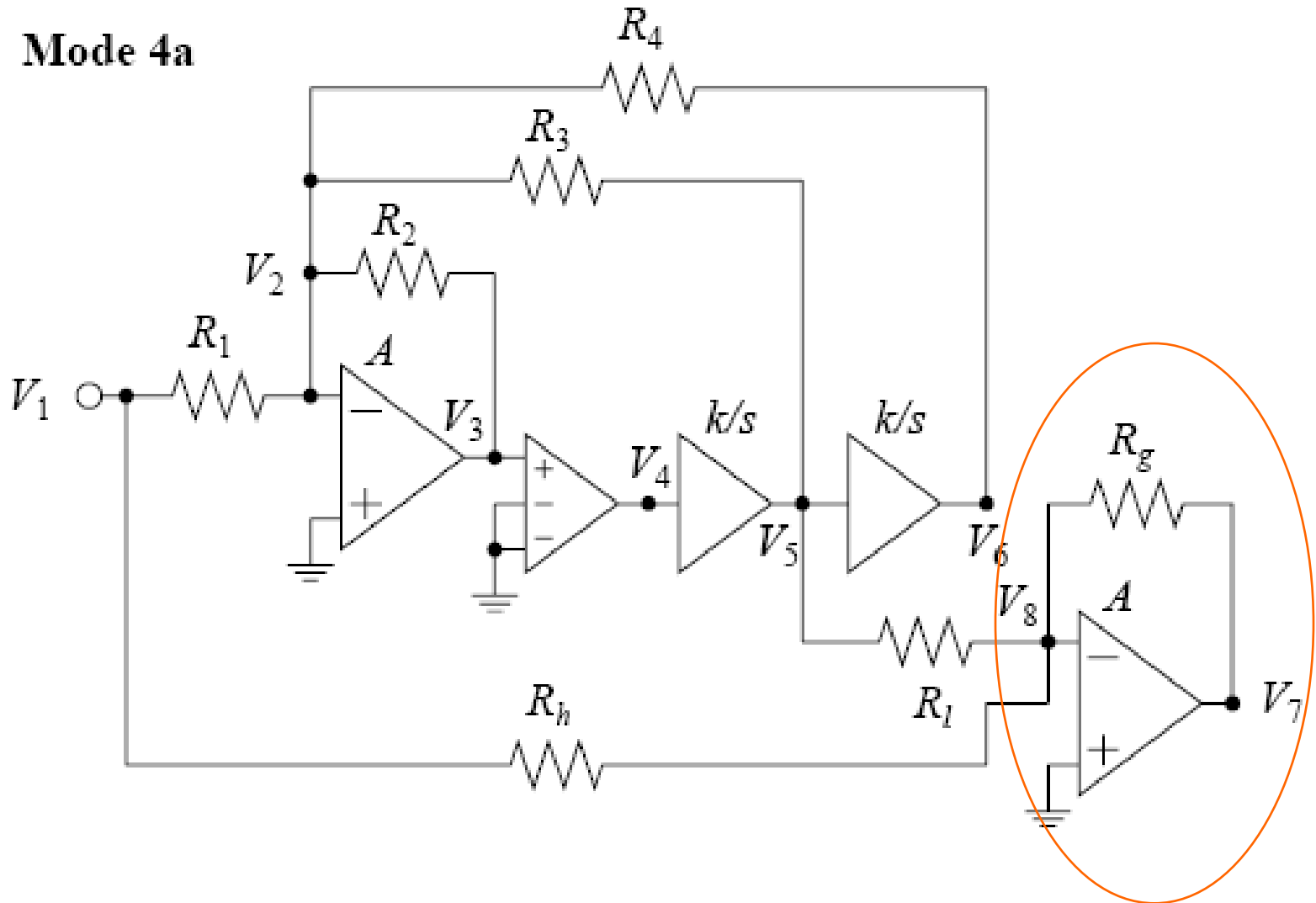


Mode 4

$$\omega_p = \frac{2\pi}{P} f_{CLK}$$

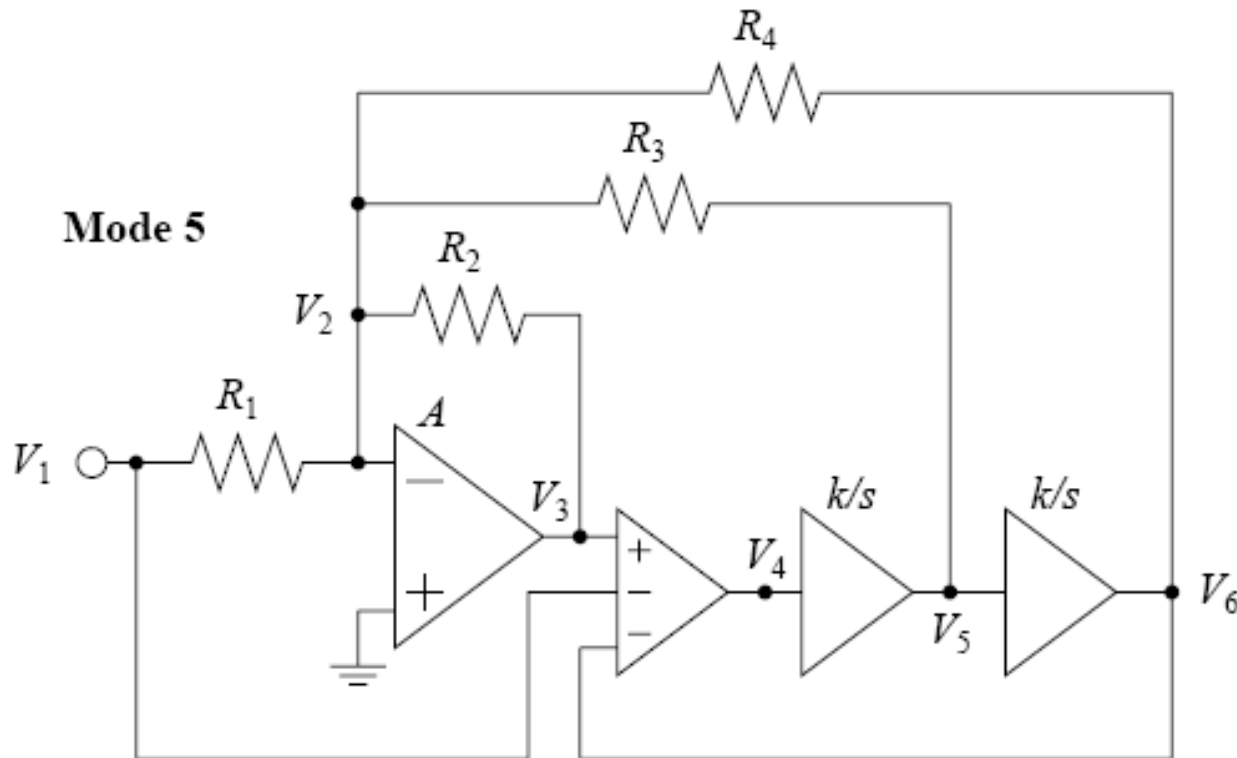


Mode 4a



Mode 5

$$H_{CZ} = K \frac{s^2 + \frac{\omega_z}{Q_z} s + \omega_z^2}{s^2 + \frac{\omega_p}{Q_p} s + \omega_p^2}, \quad \omega_z < \omega_p$$



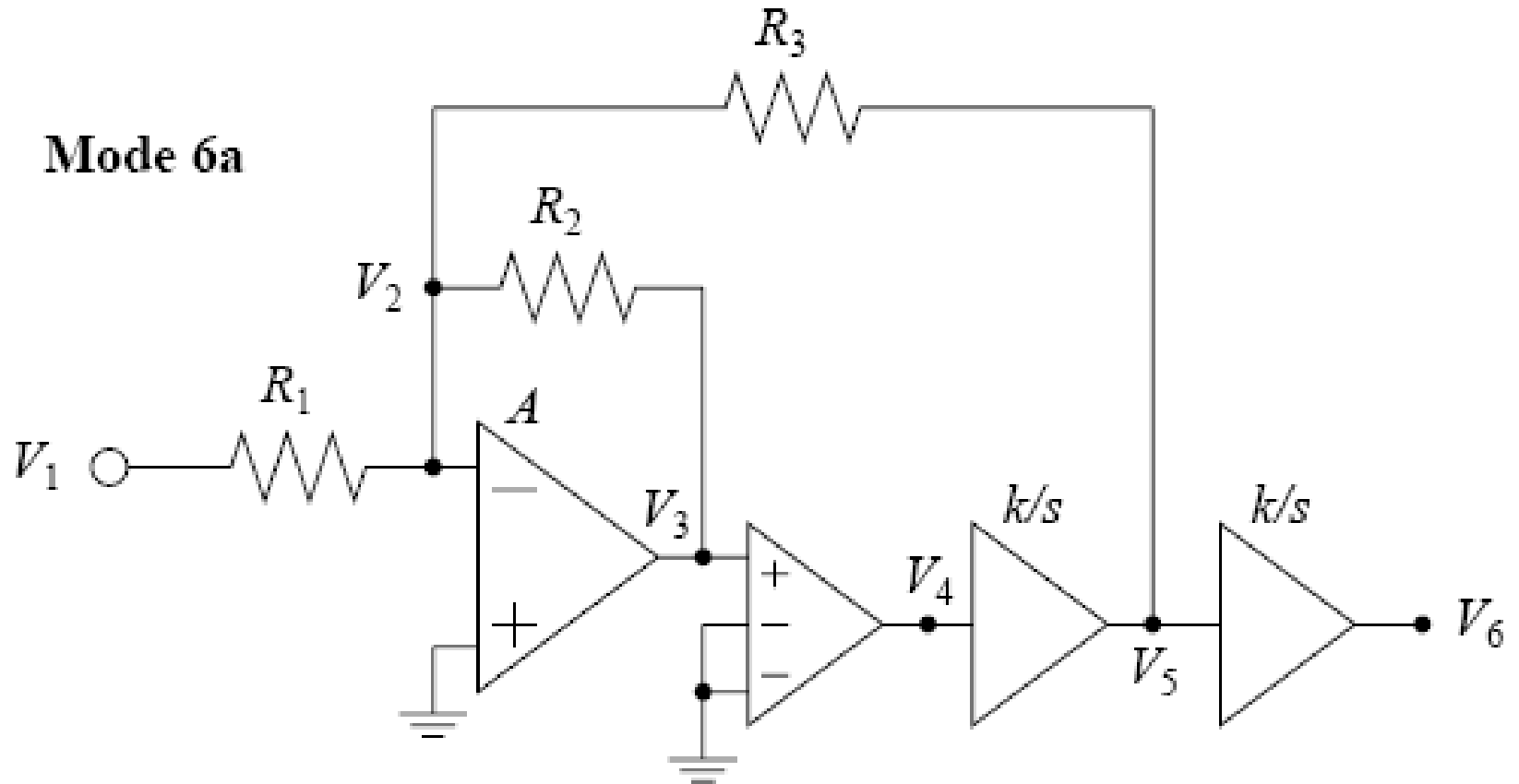
$$\omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{1 + \frac{R_2}{R_4}}$$

$$\omega_z = \frac{2\pi f_{CLK}}{P} \sqrt{1 - \frac{R_1}{R_4}}$$

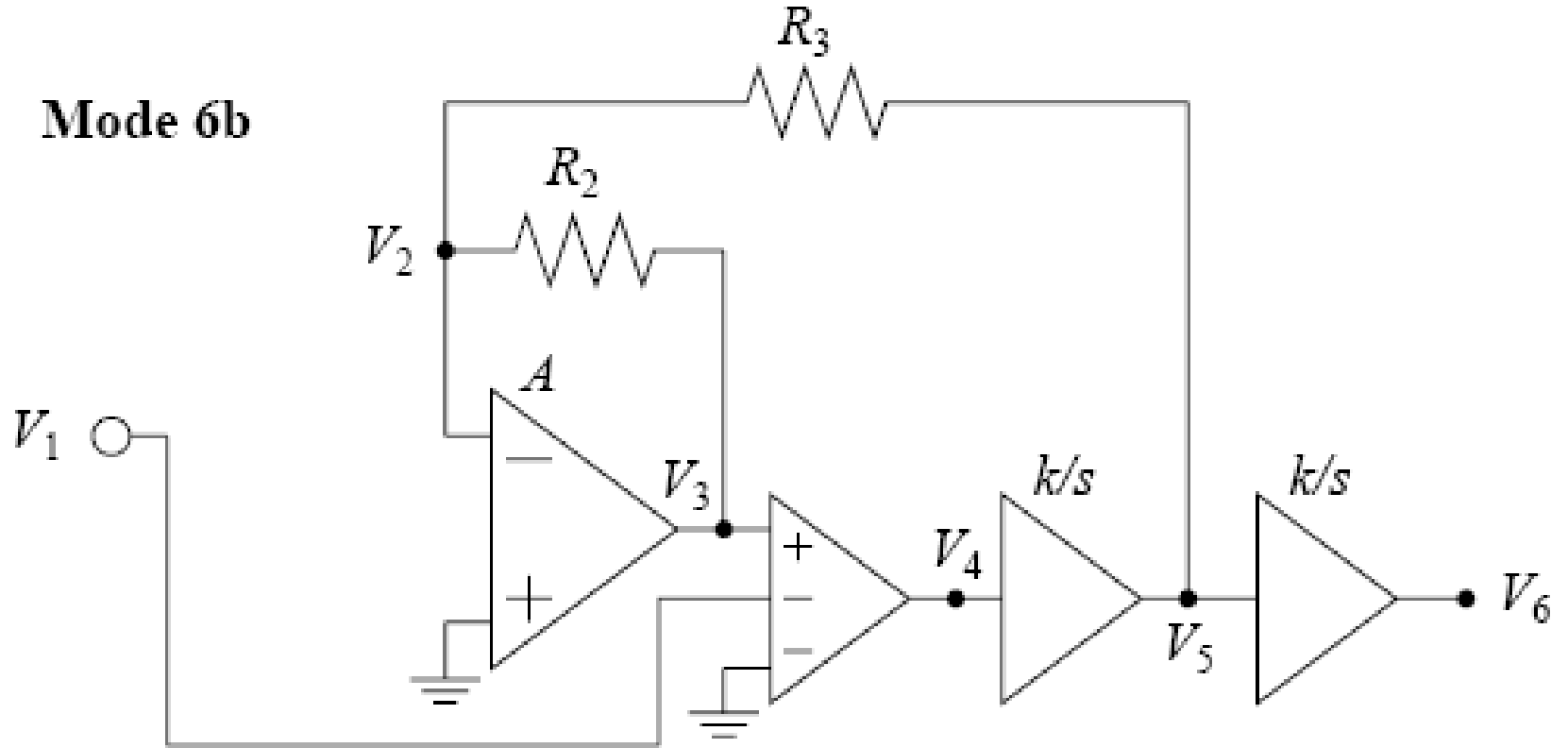
$$Q_p = \frac{R_3}{R_4} \sqrt{1 + \frac{R_2}{R_4}}$$

$$Q_z = \frac{R_3}{R_1} \sqrt{1 - \frac{R_1}{R_4}}$$

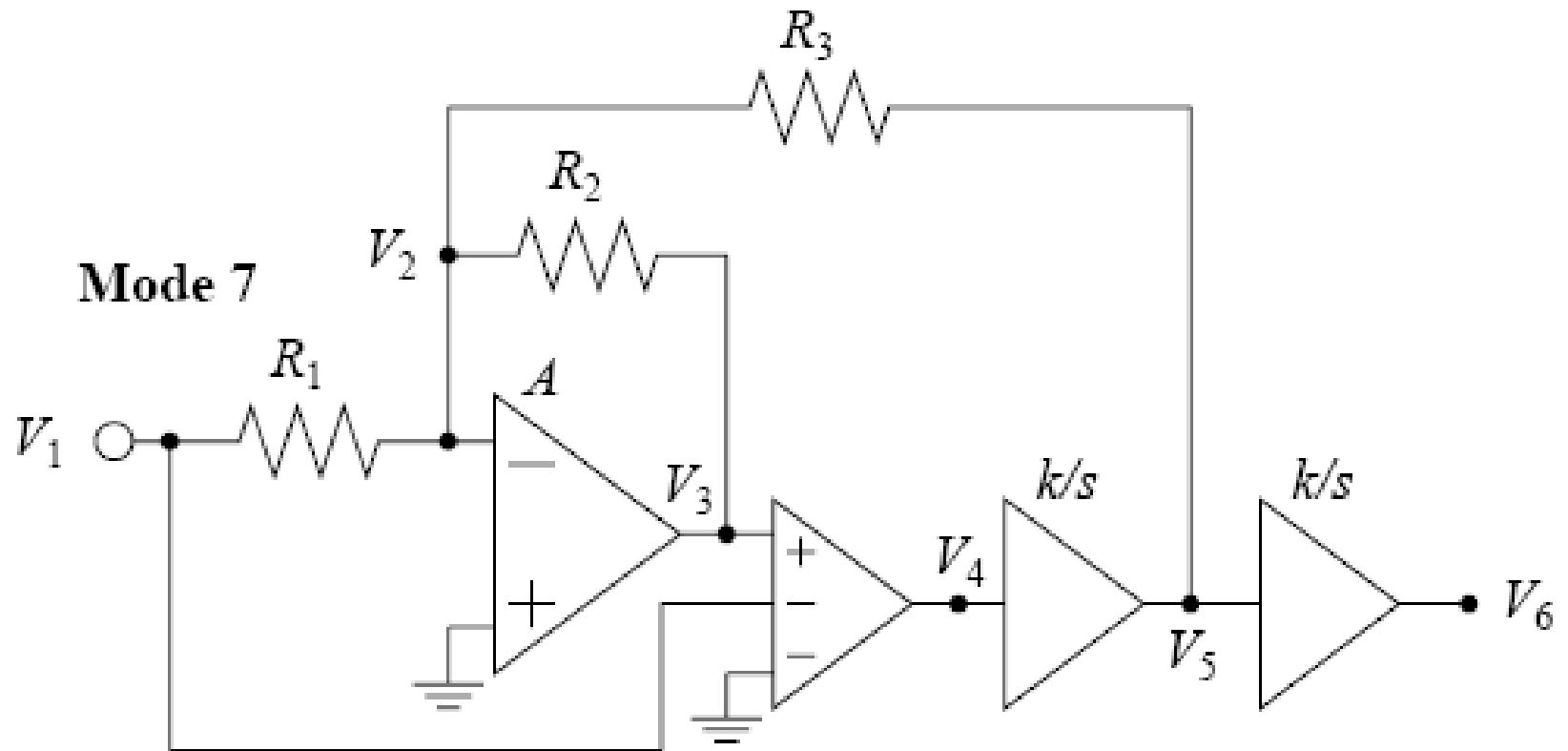
Mode 6a



Mode 6b



Mode 7



LP

Mode	$\frac{V_6}{V_1}$	$\frac{V_5}{V_1}$
1, 1a, 1b, 1c, 1d, 2, 2a, 2b, 3, 3a, 4, 4a, 5	$H_{LP} = K \frac{\omega_p^2}{s^2 + \frac{\omega_p}{Q_p}s + \omega_p^2}$	$H_{BP} = K \frac{\frac{\omega_p}{Q_p}s}{s^2 + \frac{\omega_p}{Q_p}s + \omega_p^2}$
6a, 6b, 7	Not applicable	$H_{LP} = K \frac{\omega_p}{s + \omega_p}$

HP

$$\text{Mode} \quad H_{HP} = \frac{V_3}{V_1} = K \frac{s^2}{s^2 + \frac{\omega_p}{Q_p} s + \omega_p^2}$$

$$3 \quad \omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_2}{R_4}}$$

BR

Mode	$H_{BR} = \frac{V_3}{V_1} = K \frac{s^2 + \omega_p^2}{s^2 + \frac{\omega_p}{Q_p} s + \omega_p^2}$
------	---

1	$\omega_p = \frac{2\pi f_{CLK}}{P}$
---	-------------------------------------

1b	$\omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_6}{R_5 + R_6}}$
----	--

1c	$\omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{1 + \frac{R_6}{R_5 + R_6}}$
----	--

AP

$$\text{Mode} \quad H_{AP} = \frac{V_3}{V_1} = K \frac{s^2 - \frac{\omega_p}{Q_p} s + \omega_p^2}{s^2 + \frac{\omega_p}{Q_p} s + \omega_p^2}$$

$$4 \quad \omega_p = \frac{2\pi f_{CLK}}{P}$$

$$4a \quad \omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_2}{R_4}}$$

BP

$$\text{Mode} \quad H_{BP} = \frac{V_3}{V_1} = K \frac{\frac{\omega_p}{Q_p} s}{s^2 + \frac{\omega_p}{Q_p} s + \omega_p^2}$$

$$1a \quad \omega_p = \frac{2\pi f_{CLK}}{P}$$

HPN

$$H_{HPN} = K \frac{s^2 + \omega_z^2}{s^2 + \frac{\omega_p}{Q_p}s + \omega_p^2}, \quad \omega_z < \omega_p$$

Mode	$H_{HPN} = \frac{V_3}{V_1} = K \frac{s^2 + \omega_z^2}{s^2 + \frac{\omega_p}{Q_p}s + \omega_p^2}$	$\frac{R_2}{R_4} > \frac{R_h}{R_l}$
------	---	-------------------------------------

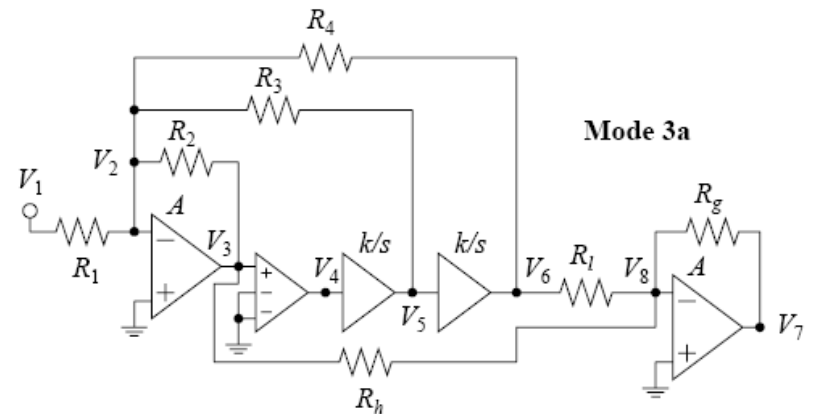
2	$\omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{1 + \frac{R_2}{R_4}}$	$\omega_z = \frac{2\pi f_{CLK}}{P}$
---	--	-------------------------------------

2a	$\omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_2}{R_4} + \frac{R_5 + 2R_6}{R_5 + R_6}}$	$\omega_z = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_5 + 2R_6}{R_5 + R_6}}$
----	---	---

2b	$\omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_2}{R_4} + \frac{R_6}{R_5 + R_6}}$	$\omega_z = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_6}{R_5 + R_6}}$
----	--	--

3a	$\omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_2}{R_4}}$	$\omega_z = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_h}{R_l}}$
----	--	--

LPN



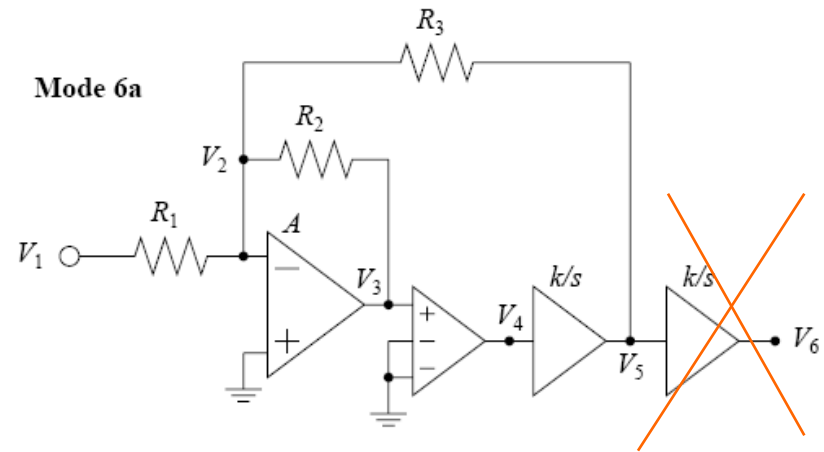
Mode	$H_{LPN} = \frac{V_3}{V_1} = K \frac{s^2 + \omega_z^2}{s^2 + \frac{\omega_p}{Q_p}s + \omega_p^2}$	$\frac{R_2}{R_4} < \frac{R_h}{R_l}$
------	---	-------------------------------------

1d	$\omega_p = \frac{2\pi f_{CLK}}{P}$	$\omega_z = \frac{2\pi f_{CLK}}{P} \sqrt{1 + \frac{R_h}{R_l}}$
----	-------------------------------------	--

3a	$\omega_p = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_2}{R_4}}$	$\omega_z = \frac{2\pi f_{CLK}}{P} \sqrt{\frac{R_h}{R_l}}$
----	--	--

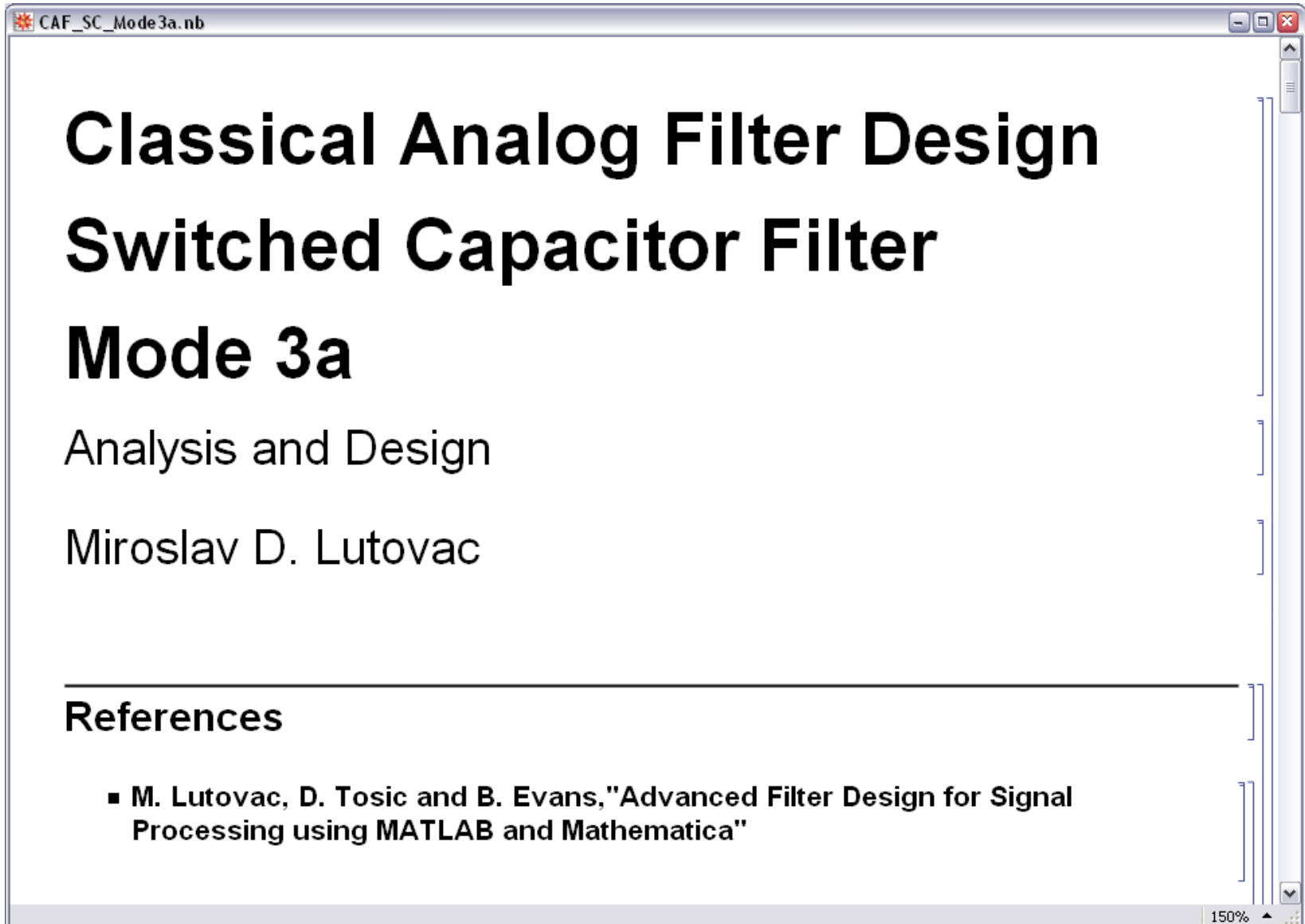
$$H_{LPN} = K \frac{s^2 + \omega_z^2}{s^2 + \frac{\omega_p}{Q_p}s + \omega_p^2}, \quad \omega_z > \omega_p$$

Prvog reda



Mode	Transfer function	Pole magnitude
6a	$H_{HP} = \frac{V_3}{V_1} = K \frac{s}{s + \omega_p}$	$\omega_p = \frac{2\pi f_{CLK}}{P} \frac{R_2}{R_3}$
6b	$H_{LP} = \frac{V_3}{V_1} = K \frac{\omega_p}{s + \omega_p}$	$\omega_p = \frac{2\pi f_{CLK}}{P} \frac{R_2}{R_3}$
7	$H_{AP} = \frac{V_3}{V_1} = K \frac{s - \omega_p}{s + \omega_p}$	$\omega_p = \frac{2\pi f_{CLK}}{P} \frac{R_2}{R_3}$

Simbolička analiza



CAF_SC_Mode3a.nb

Classical Analog Filter Design

Switched Capacitor Filter

Mode 3a

Analysis and Design

Miroslav D. Lutovac

References

- M. Lutovac, D. Tosić and B. Evans, "Advanced Filter Design for Signal Processing using MATLAB and Mathematica"

150%

33

Crtanje šeme

CAF_SC_Mode3a.nb

```
In[1]:= << "C:\\aal\\ETF_predavanja\\Filtri\\mathematica\\clearall.m"  
<< "C:\\aal\\ETF_predavanja\\Filtri\\mathematica\\drawafil.m"  
<< "C:\\aal\\ETF_predavanja\\Filtri\\mathematica\\drawasc.m"
```

```
In[4]:= DrawMode3a[0, 0,  $\frac{1}{2}$ ,  $\frac{5}{4}$ , 8]
```

Out[4]=

Mode 3a

The diagram shows a circuit labeled "Mode 3a". It features an input resistor R_1 connected to the inverting input of an operational amplifier A . The non-inverting input of A is grounded. The feedback path of A includes resistors R_2 , R_3 , and R_4 . The output of this first op-amp is connected to a summing junction. This junction also receives input from a resistor R_h connected to ground and a resistor R_g connected to the output of a second op-amp A . The summing junction is followed by two integrator blocks, each represented by a triangle with k/s inside. The output of the second integrator is connected to the inverting input of the second op-amp A . The non-inverting input of the second op-amp is grounded. The feedback path of the second op-amp includes resistor R_g . The output of the second op-amp is labeled V_7 . Various nodes in the circuit are labeled V_1 through V_8 .

Postavljanje jednačina

```
CAF_SC_Mode3a.nb
```

Circuit Analysis

- Reduced Modified Nodal Analysis

```
In[5]:= CircuitEquations = {V1 == Vg,  
    
$$\frac{V2 - V1}{R1} + \frac{V2 - V3}{R2} + \frac{V2 - V5}{R3} + \frac{V2 - V6}{R4} == 0,$$
  
    V3 == -A V2, V4 == V3,  
    V5 ==  $\frac{V4 k}{s}$ ,  
    V6 ==  $\frac{V5 k}{s}$ ,  
    
$$\frac{V8 - V6}{R1} + \frac{V8 - V3}{Rh} + \frac{V8 - V7}{Rg} == 0,$$
  
    V7 == -A V8};  
NodeVoltages = {V1, V2, V3, V4, V5, V6, V7, V8};  
CircuitResponse =  
    Together[Flatten[Solve[CircuitEquations, NodeVoltages]]];  
Print["V1 = ", V1 /. CircuitResponse]  
Print["V7 = ", V7 /. CircuitResponse]
```

150%

Određivanje funkcije prenosa

```
CAF_SC_Mode3a.nb

Print["V1 = ", V1 /. CircuitResponse]
Print["V7 = ", V7 /. CircuitResponse]

V1 = Vg
V7 = (A^2 R2 R3 R4 (k^2 Rg Rh + Rg R1 s^2) Vg) /
      ((Rg Rh + Rg R1 + Rh R1 + A Rh R1) (A k^2 R1 R2 R3 + A k R1 R2 R4 s +
      R1 R2 R3 s^2 + R1 R2 R4 s^2 + R1 R3 R4 s^2 + A R1 R3 R4 s^2 + R2 R3 R4 s^2))
```

Voltage Transfer Function

```
In[10]:= H = Simplify[Together[V7/V1 /. CircuitResponse]];
H3a = Limit[H, A -> Infinity];
Print["H(s) = ", Factor[Collect[Numerator[H3a], s]] /
      Factor[Collect[Denominator[H3a], s]]]
```

$$H(s) = \frac{R2 R3 R4 Rg (k^2 Rh + R1 s^2)}{R1 Rh R1 (k^2 R2 R3 + k R2 R4 s + R3 R4 s^2)}$$

150%

Definicije promenljivih

```
CAF_SC_Mode3a.nb
Definitions and Procedures

In[13]:= PoleQpole[H_, s_] := Module[{den, fp, Qp},

    den = Denominator[H];    fp =  $\frac{\sqrt{\frac{\text{Coefficient}[\text{den}, s, 0]}{\text{Coefficient}[\text{den}, s, 2]}}}{2 \pi}$ ;

    Qp =  $\frac{\text{Coefficient}[\text{den}, s, 2] (2 \pi \text{fp})}{\text{Coefficient}[\text{den}, s, 1]}$ ; Simplify[{fp, Qp}]];

ZeroQzero[H_, s_] := Module[{fz, num, Qz0},

    num = Numerator[H];    Qz0 =  $\frac{\text{Coefficient}[\text{num}, s, 2]}{\text{Coefficient}[\text{num}, s, 1]}$ ;

    fz =  $\frac{\sqrt{\frac{\text{Coefficient}[\text{num}, s, 0]}{\text{Coefficient}[\text{num}, s, 2]}}}{2 \pi}$ ;    Simplify[{fz, Qz0 fz}]];

Sensitivity[F_, x_] :=  $\frac{x \partial_x F}{F}$ ;

GSP[F_, A_] := Simplify[Limit[A Sensitivity[F, A], A → ∞]];

PrintLabeledList[expressions_List, labels_List] := (
    Print[#1[[1]], " = ", #1[[2]]] &) /@ Transpose[{labels, expressions}];
```

CAF_SC_Mode3a.nb *

Poles, Zeros, Q - factors

```
In[18]:= {fp, Qp} = Simplify[PoleQpole[H, s]];
PrintLabeledList[{fp, Qp}, {"fp", "Qp"}];
```

$$fp = \frac{\sqrt{\frac{A k^2 R1 R2 R3}{R2 R3 R4 + R1 ((1+A) R3 R4 + R2 (R3 + R4))}}}{2 \pi}$$

$$Qp = \frac{k R3}{R4 \sqrt{\frac{A k^2 R1 R2 R3}{R2 R3 R4 + R1 ((1+A) R3 R4 + R2 (R3 + R4))}}}$$

```
In[20]:= fp0 = Limit[fp, A -> Infinity];
Qp0 = Simplify[Limit[Qp, A -> Infinity] /. k -> 1];
PrintLabeledList[{fp0, Qp0}, {"fp", "Qp"}];
```

$$fp = \frac{\sqrt{\frac{k^2 R2}{R4}}}{2 \pi}$$

$$Qp = \frac{R3 \sqrt{\frac{R2}{R4}}}{R2}$$

```
In[23]:= {fz, Qz} = Simplify[ZeroQzero[H, s]];
PrintLabeledList[{fz, Qz}, {"fz", "Qz"}];
```

$$fz = \frac{\sqrt{\frac{k^2 Rh}{R1}}}{2 \pi}$$

$$Qz = \text{ComplexInfinity}$$

125%

Određivanje
polova,
nula,
Q faktora

Definicija osetljivosti

```
CAF_SC_Mode3a.nb *  
  
Gain - Sensitivity Product (GSP)  
  
In[25]:= GSPfp = GSP [fp, A] ;  
         GSPQp = GSP [Qp, A] ;  
         PrintLabeledList [{GSPfp, GSPQp}, {"GSPfp", "GSPQp"}];  
  
GSPfp =  $\frac{1}{2} \left( 1 + \frac{R2}{R1} + R2 \left( \frac{1}{R3} + \frac{1}{R4} \right) \right)$   
  
GSPQp =  $\frac{1}{2} \left( -1 - \frac{R2}{R1} - \frac{R2 (R3 + R4)}{R3 R4} \right)$ 
```

Sinteza

CAF_SC_Mode3a.nb *

Design

■ Find Element Values

```
In[28]:= DesignMode3a[K_, Qp_, wp_, wz_, fc1k_, P_: 100, R1_: R1nom,  
R2_: R2nom, Rh_: Rhnom] := Module [  
  {R3, R4, R1, Rg},  
  R4 = R2  $\left(\frac{2 \pi fc1k}{P wp}\right)^2$  ;  
  R3 = Qp  $\sqrt{R2 R4}$  ; R1 = Rh  $\left(\frac{2 \pi fc1k}{P wz}\right)^2$  ;  
  Rg =  $\frac{K Rh R1}{R2}$  ;  
  {R1, R2, R3, R4, R1, Rh, Rg} ] ;
```

150%

Primer sinteze

```
CAF_SC_Mode3a.nb *
In[29]:= {R1, R2, R3, R4, R1, Rh, Rg} =
  Together[DesignMode3a[K, Q, W, Z, Fc, P, R1n, R2n, Rhn]];
PrintLabeledList[{R1, R2, R3, R4, R1, Rh, Rg},
  {"R1", "R2", "R3", "R4", "R1", "Rh", "Rg"}];

R1 = R1n
R2 = R2n

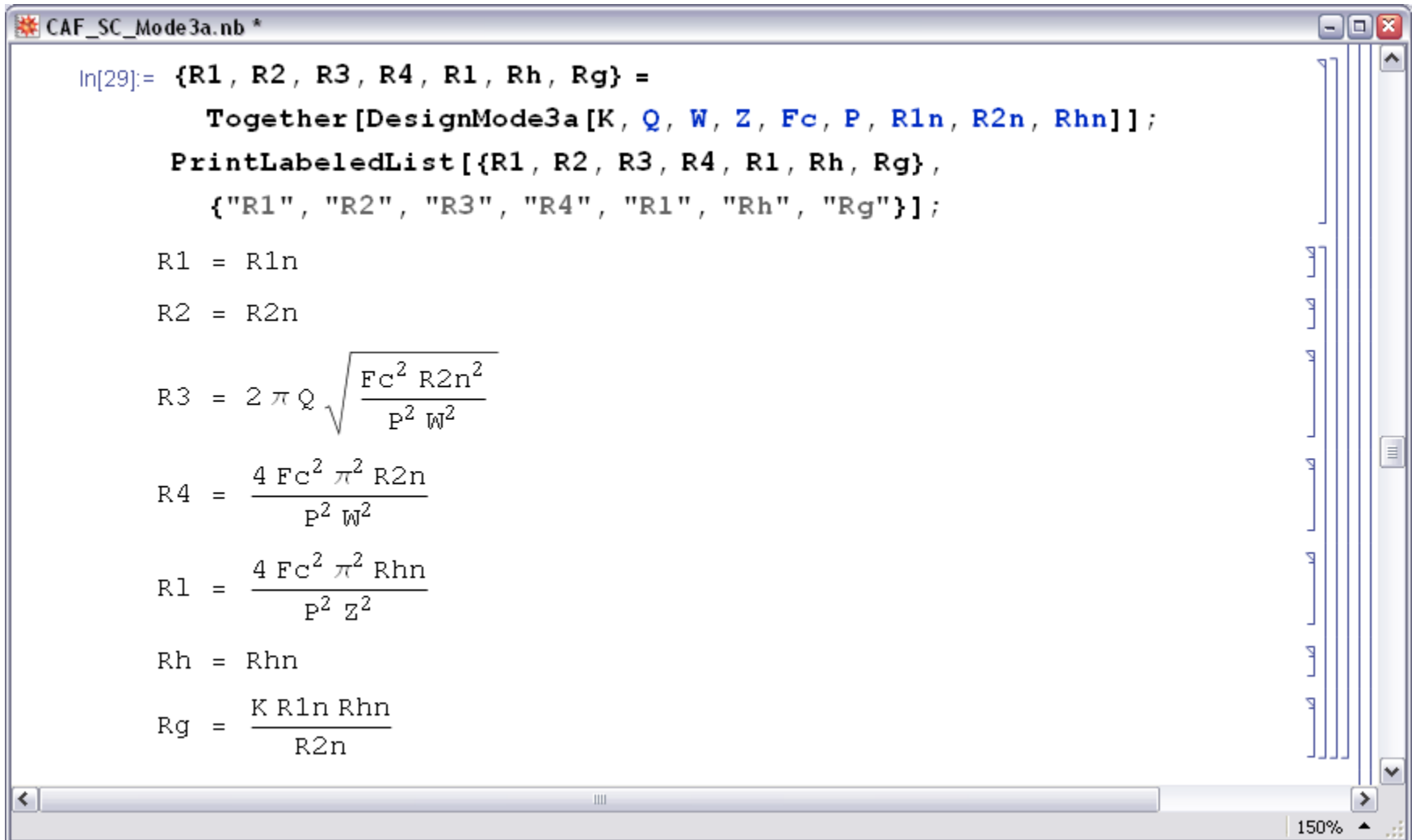
R3 = 2 π Q √(Fc² R2n² / P² W²)

R4 = (4 Fc² π² R2n) / (P² W²)

R1 = (4 Fc² π² Rhn) / (P² Z²)

Rh = Rhn

Rg = (K R1n Rhn) / R2n
```



Test

CAF_SC_Mode3a.nb *

```
In[31]:= H3atest = Simplify [ExpandAll [Together [Limit [H, A → ∞] /. {
```

$$\sqrt{\frac{x^2 y^2}{z^2}} \rightarrow \frac{xy}{z}, \sqrt{\frac{x^2 y^2 p^2}{z^2}} \rightarrow \frac{xy p}{z},$$

$$\sqrt{\frac{x^2 y^2 p^2}{z^2 n^2}} \rightarrow \frac{xy p}{z n} \}}];

```
num = Numerator [H3atest];
den = Denominator [H3atest];
numlist = CoefficientList [num, s];
denlist = CoefficientList [den, s];
K3at = numlist[[3]] / denlist[[3]];
H3at = K3at Simplify [num / numlist[[3]]] / Simplify [den / denlist[[3]]] /. k → 2 π Fc / P
```

Out[37]=

$$\frac{4 Fc^2 K \pi^2 Q R2n (s^2 + z^2)}{4 Fc^2 \pi^2 Q R2n s^2 + 2 Fc P \pi \left(\frac{2 Fc \pi Q R2n}{P} + 2 \pi s \sqrt{\frac{Fc^2 R2n^2}{P^2 W^2}} \right) W^2}$$

150%$$

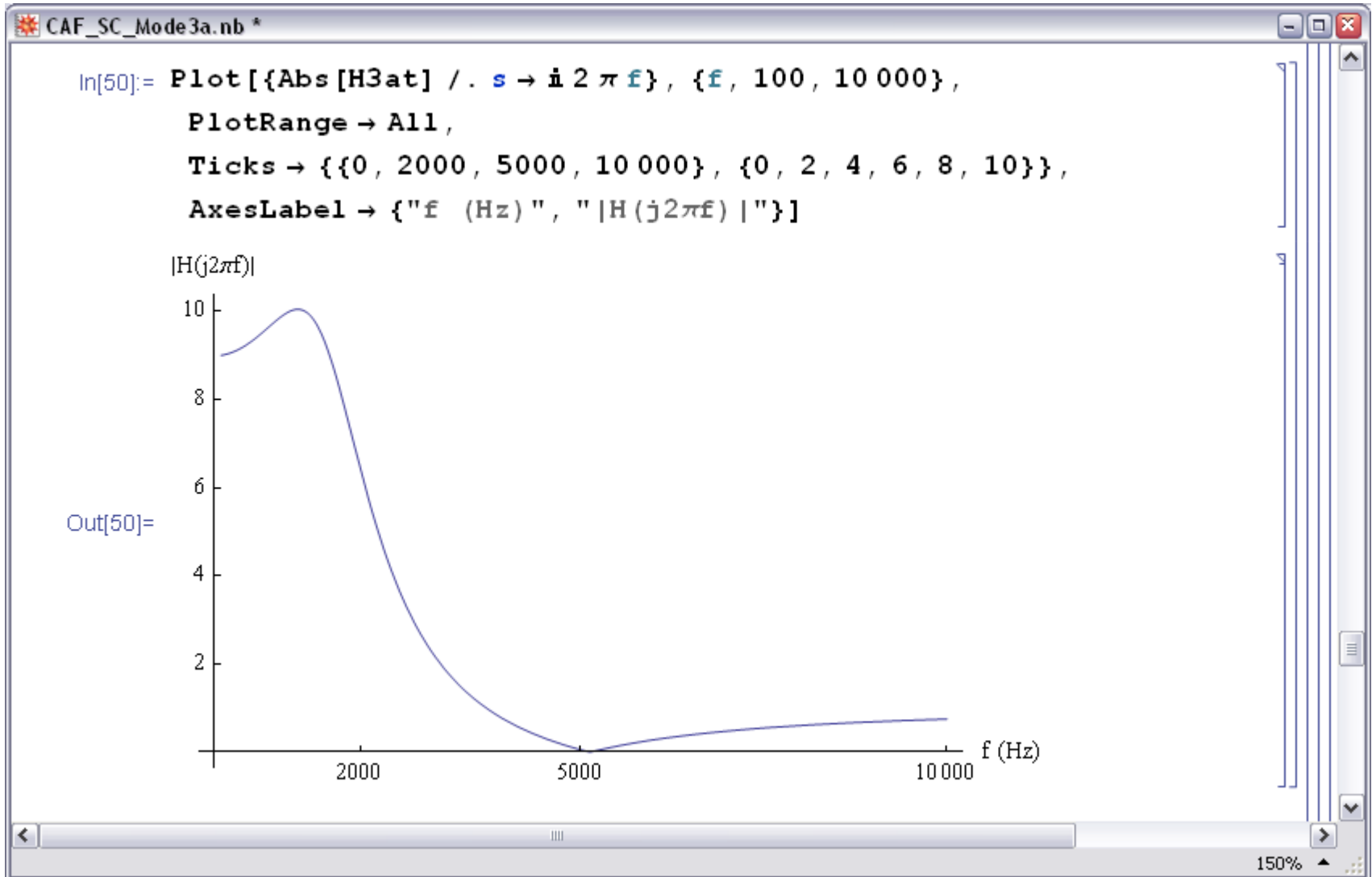
Numerički primer sinteze

```
CAF_SC_Mode3a.nb *
In[38]:= values = N[{K -> 1, Q -> 1.0349, W -> 2 π 1710.9457,
                    Z -> 2 π 5129.3034, Fc -> 256. 103,
                    P -> 100, R12 -> 23.16 103, R22 -> 10. 103,
                    Rh2 -> 238.6 103}];
h1 = N[H /. k ->  $\frac{2 \pi Fc}{P}$  /. values];
H3atest = Limit[h1, A -> ∞];
H3atest = H3atest /.  $\sqrt{x^2} \rightarrow x$ ;
num = Numerator[H3atest];
den = Denominator[H3atest];
numlist = CoefficientList[num, s];
denlist = CoefficientList[den, s];
K3at =  $\frac{\text{numlist}[[3]]}{\text{denlist}[[3]]}$ ;
H3at =  $\frac{\text{K3at Simplify}\left[\frac{\text{num}}{\text{numlist}[[3]]}\right]}{\text{Simplify}\left[\frac{\text{den}}{\text{denlist}[[3]]}\right]}$ 
Out[47]=  $\frac{1. (1.03867 \times 10^9 + 1. s^2)}{1.15567 \times 10^8 + 10387.7 s + 1. s^2}$ 
```

Rezultat sinteze

```
CAF_SC_Mode3a.nb *  
  
In[48]:= Rexample1 = N[{R1, R2, R3, R4, R1, Rh, Rg} /. values] /.  
         $\sqrt{R2n^2} \rightarrow R2n$ ;  
        PrintLabeledList[Rexample1,  
        {"R1", "R2", "R3", "R4", "R1", "Rh", "Rg"}];  
  
R1 = R1n  
R2 = R2n  
R3 = 1.54847 R2n  
R4 = 2.23876 R2n  
R1 = 0.249094 Rhn  
Rh = Rhn  
Rg =  $\frac{1. R1n Rhn}{R2n}$ 
```

Crtanje funkcije prenosa



Crtanje šeme

CAF_SC_Mode3a.nb *

```
In[51]:= rnum = Rexample1 /. {R1n -> 104, R2n -> 104, Rhn -> 104}
```

Out[51]= {10 000, 10 000, 15 484.7, 22 387.6, 2490.94, 10 000, 10 000.}

```
In[52]:= DrawMode3a[0, 0,  $\frac{1}{2}$ ,  $\frac{5}{4}$ , 8] /. {"R1" -> rnum[[1]], "R2" -> rnum[[2]],  
"R3" -> rnum[[3]], "R4" -> rnum[[4]], "R1" -> rnum[[5]],  
"Rh" -> rnum[[6]], "Rg" -> rnum[[7]], "k/s" ->  $\frac{2 \pi Fc}{P s}$  /. values}
```

Out[52]=

Mode 3a

150%

Optimizacija

CAF_SC_Mode3a.nb *

Optimization

- Find R2/R1 for low Gain - sensitivity Product

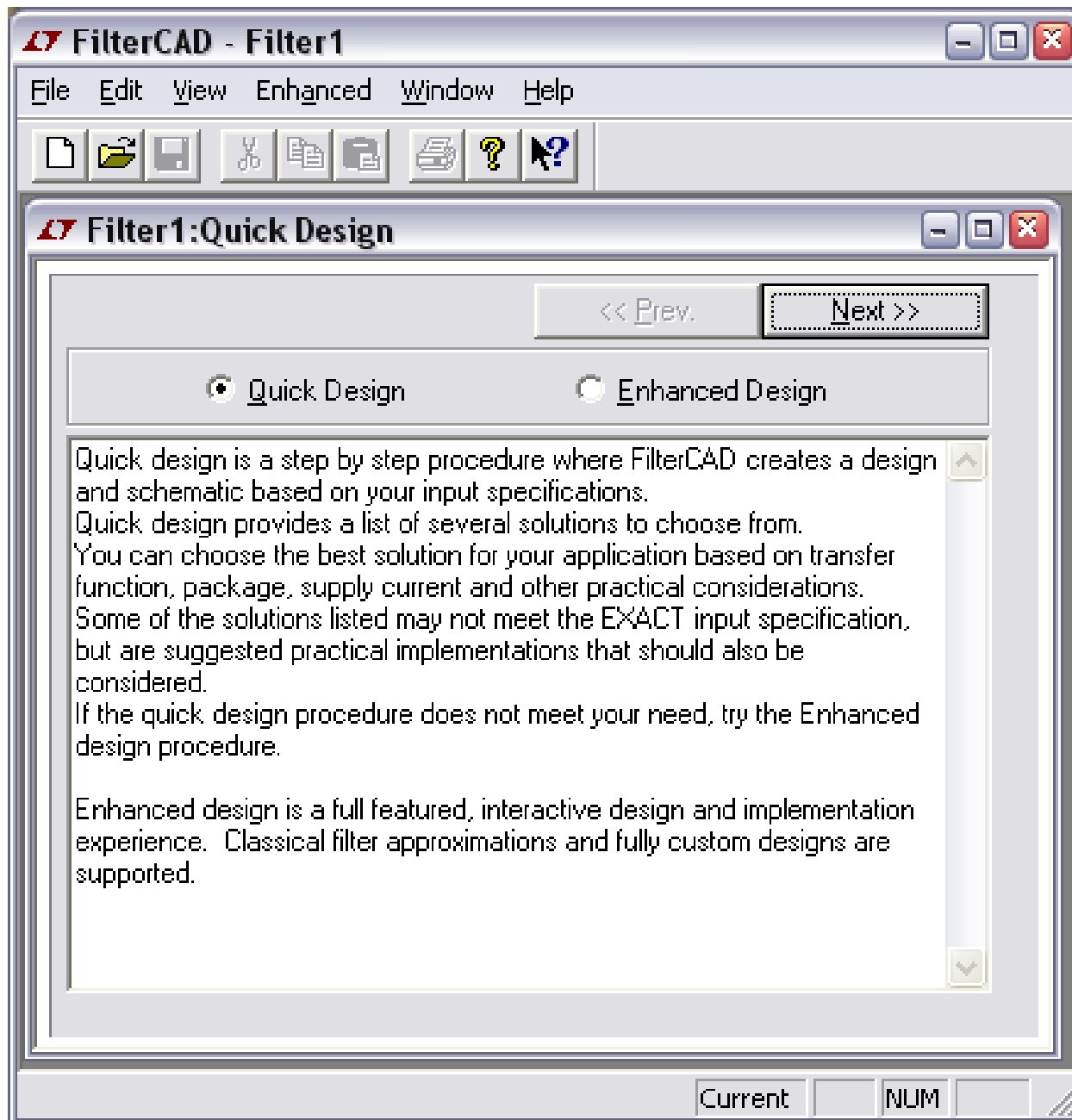
```
In[53]:= sf = Simplify[ (Together[GSPfp /. values]), R2n > 0]
```

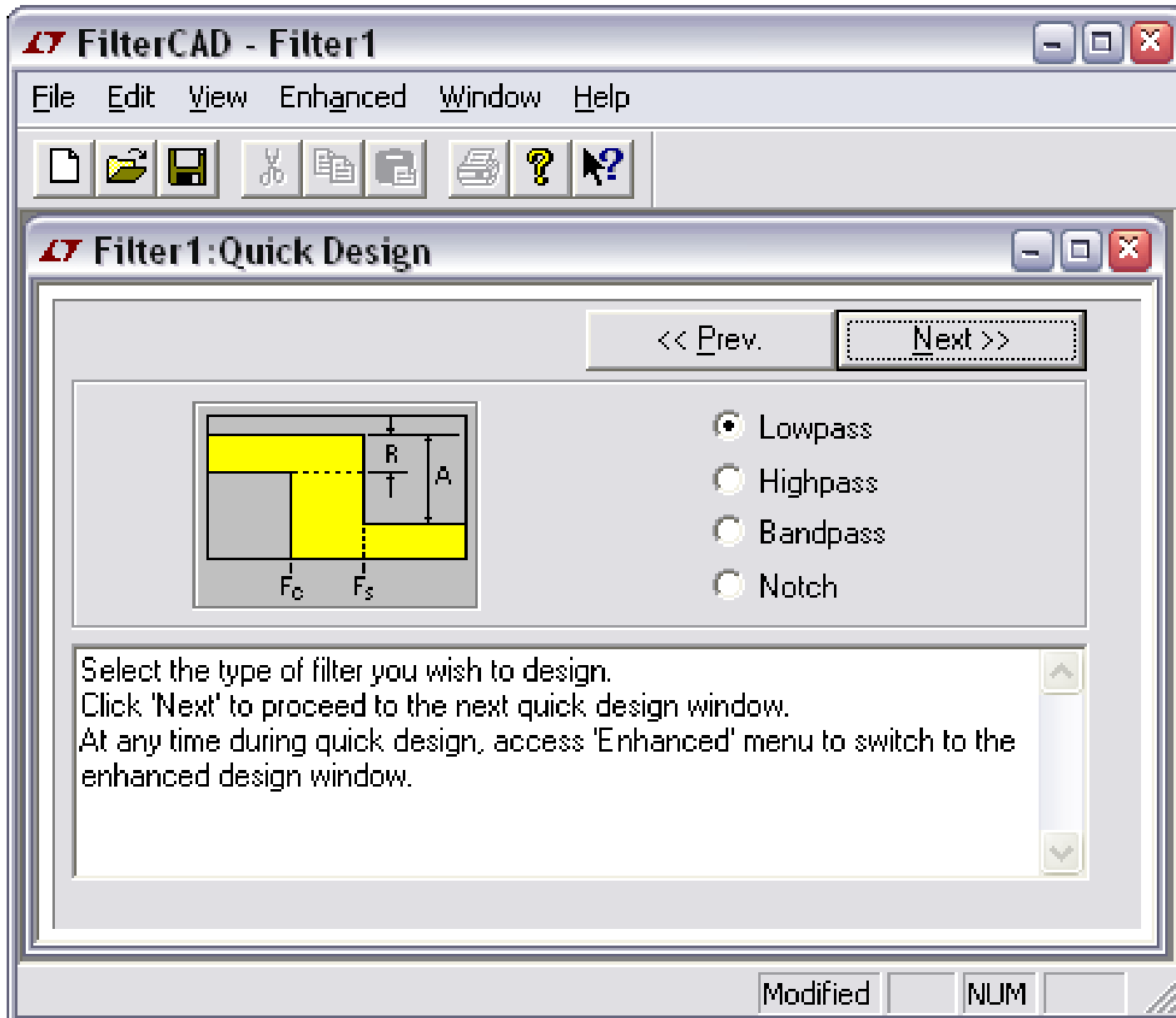
Out[53]= $1.04624 + \frac{0.5 R2n}{R1n}$

150%

Komentar

```
CAF_SC_Mode3a.nb *  
  
Remark  
  
■ We have to choose  $R1 > R2$  to minimize GSP.  
  
In[54]:= Print["Time used = ", TimeUsed[], " s"]  
Time used = 17.423 s
```



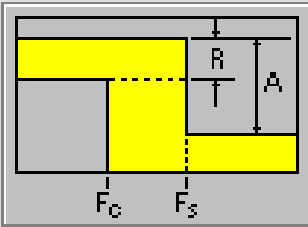
FilterCAD - Filter1

File Edit View Enhanced Window Help

FilterCAD icons: New, Open, Save, Cut, Copy, Paste, Undo, Redo, Help, Mouse

Filter1:Quick Design

<< Prev. Next >>



Stopband Atten. (A) 40 dB

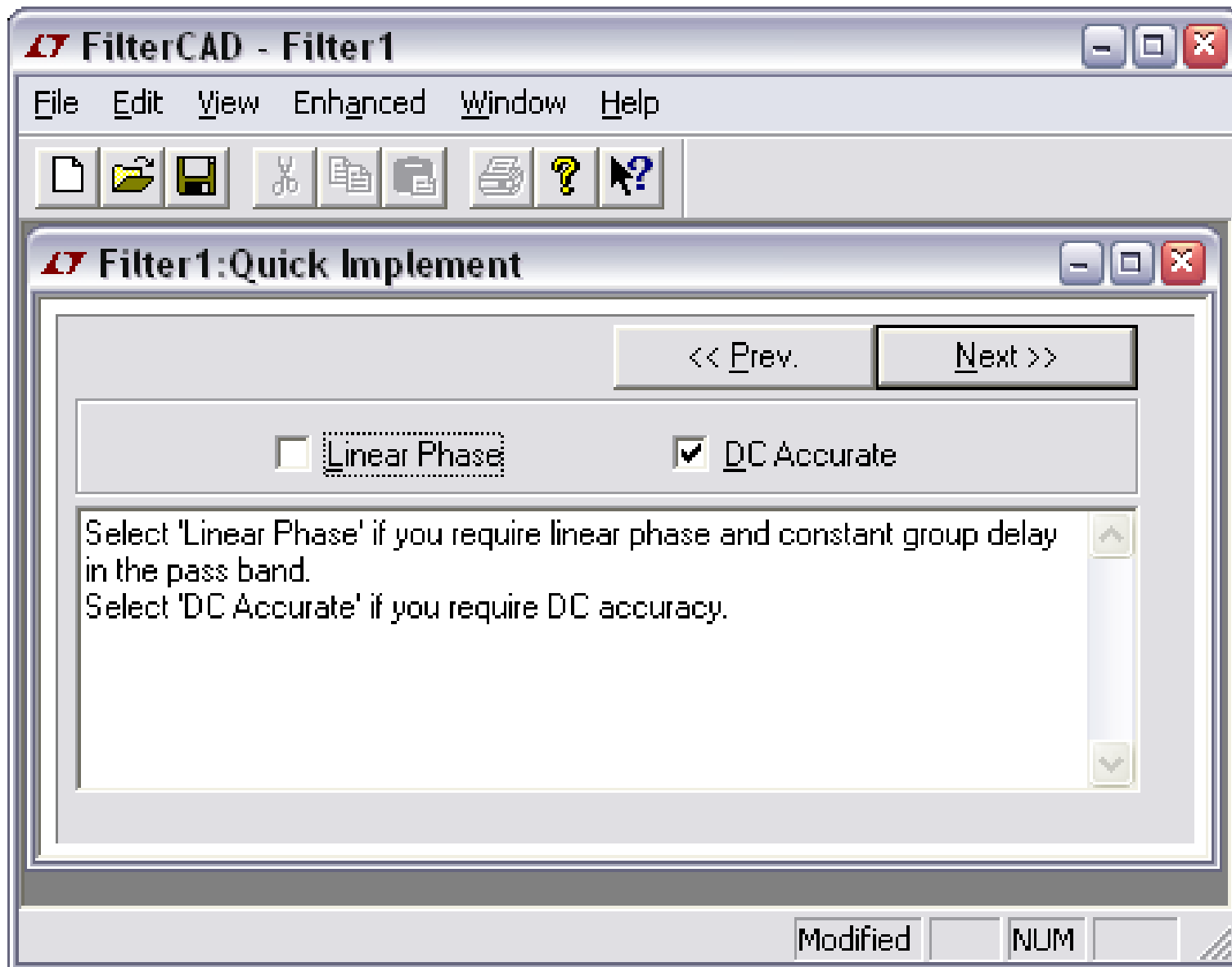
Passband (Fc) 20

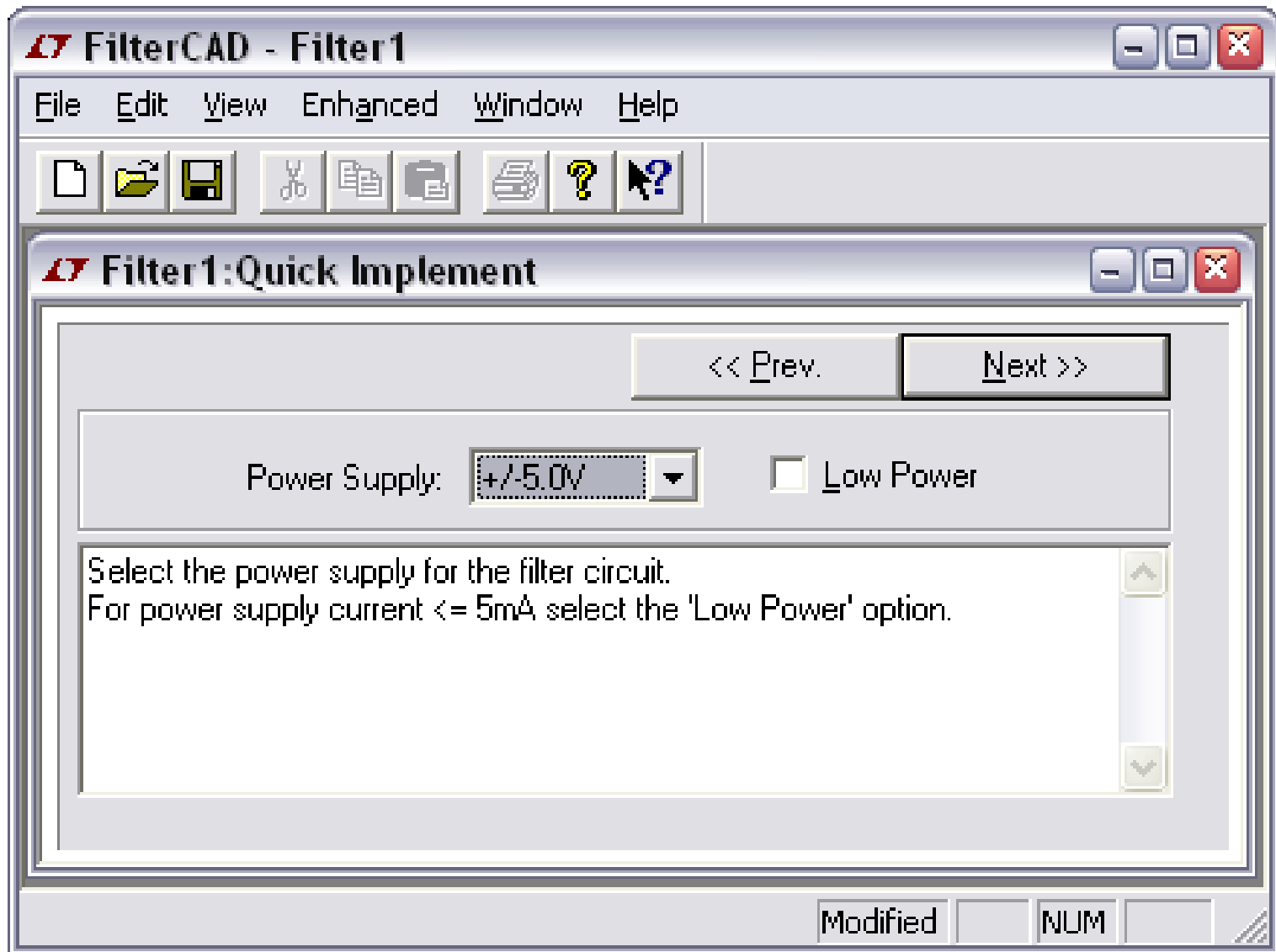
Stopband (Fs) 40

Hz kHz MHz

Enter the HIGHEST frequency and amplitude specifications for the filter type you have selected.

Modified NUM





FilterCAD - Filter1

File Edit View Enhanced Window Help

Filter1:Quick Implement

Switched Capacitor << Prev.

Part	Type	Order	Isup	Package(s)	Comment
1569-6	Elli	10	12.0	S08	Int, DC, Ln
1569-7	Elli	10	9.0	S08	Int, DC, Ln
1066-1	Elli	8	22.0	S018(w)	Int, DC
*1063	Butt	5	5.5	PDIP8, S016(w)	Int, DC

Active RC

Part	Type	Order	Isup	Package(s)	Comment
1562	Elli	4	14.0	PDIP16, SSOP20	Univ, DC,
1563-2	Butt	8	2.2	SSOP16(n)	UnivLP, D
*1563-3	Bess	4	2.2	SSOP16(n)	Univ, DC,

* = Device doesn't match design specification exactly.

Order = Filter order.
 Butt = Butterworth response.
 Bess = Bessel response.
 Elli = Elliptic response.
 LnPh = Linear phase response.
 Isup = Typical power supply current in mA at 25 degrees C.
 The '-25, -50, -200' numbers designate the clock to center

Modified

FilterCAD - Filter1

File Edit View Enhanced Window Help

Filter1:Quick Implement

Switched Capacitor << Prev. Next >>

Part	Type	Order	Isup	Package(s)	Comments
1569-6	Elli	10	12.0	S08	Int, DC, LnPh
1569-7	Elli	10	9.0	S08	Int, DC, LnPh
1066-1	Elli	8	22.0	S018(w)	Int, DC
*1063	Butt	5	5.5	PDIP8, S016(w)	Int, DC

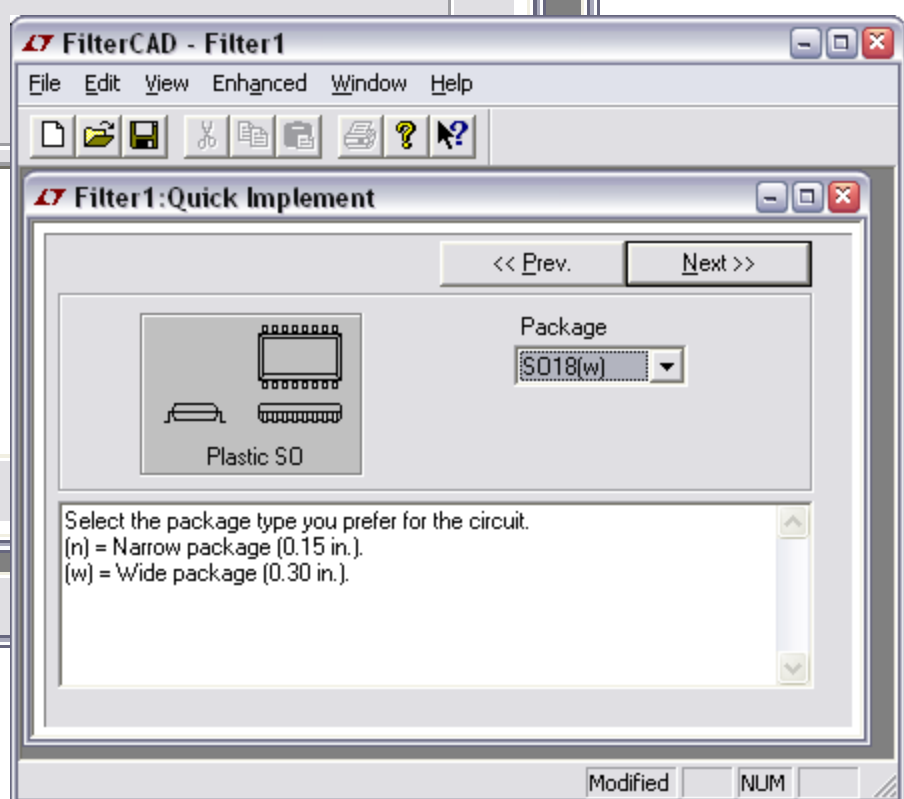
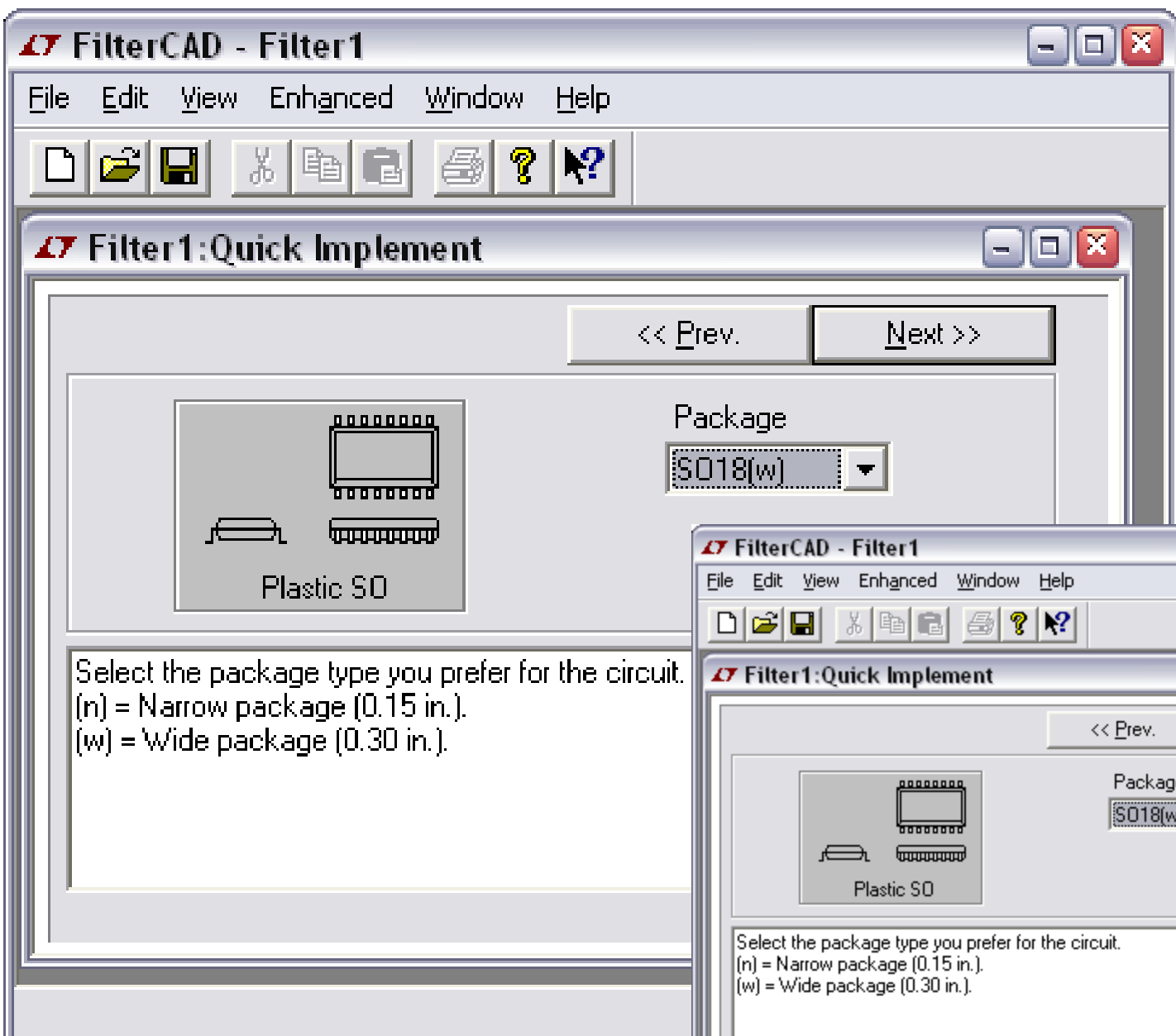
Active RC

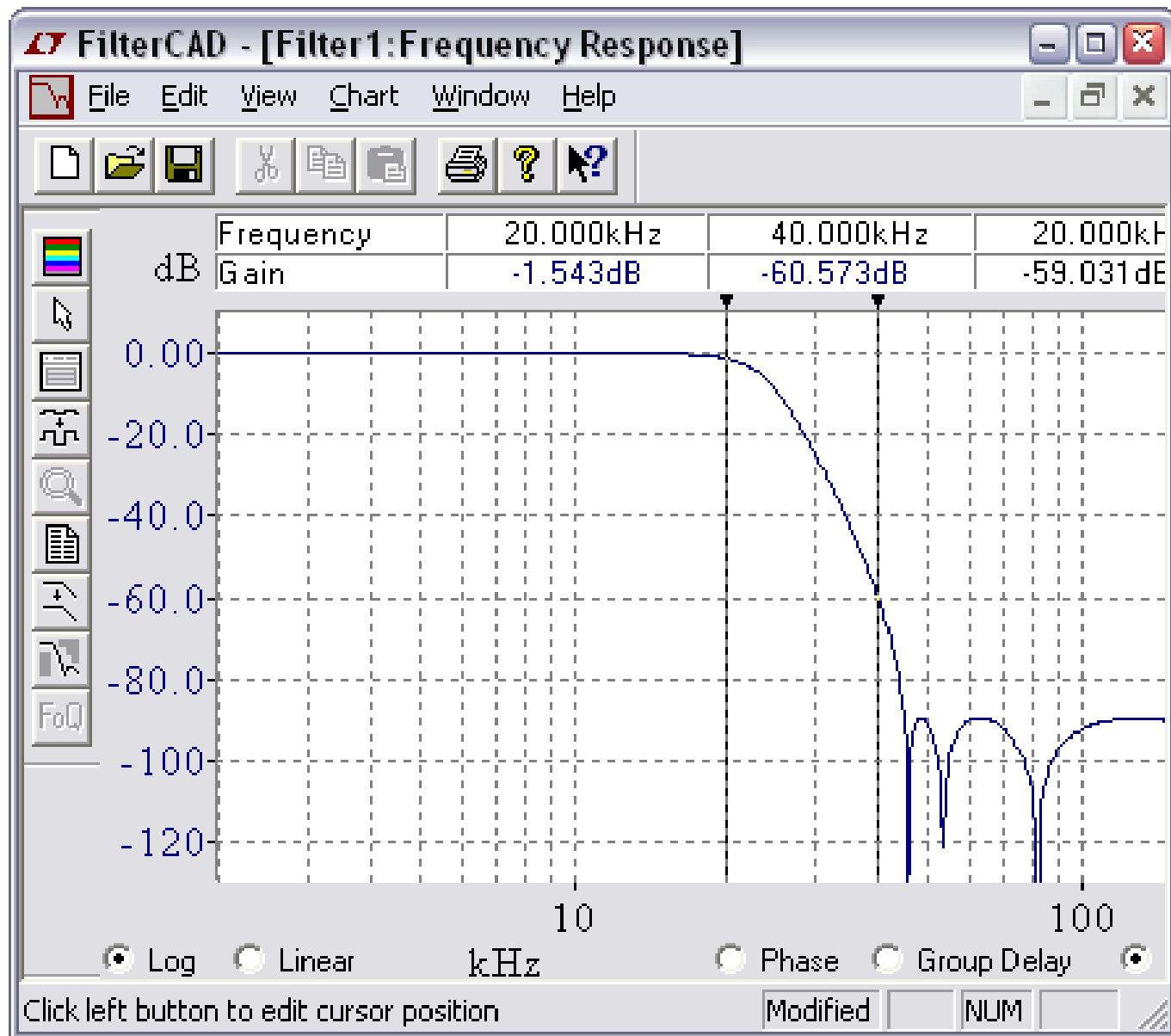
Part	Type	Order	Isup	Package(s)	Comments
1562	Elli	4	14.0	PDIP16, SSOP20	Univ, DC, R-R, XDA
1563-2	Butt	8	2.2	SSOP16(n)	UnivLP, DC, R-R, x2
*1563-3	Bess	4	2.2	SSOP16(n)	Univ, DC, LnPh

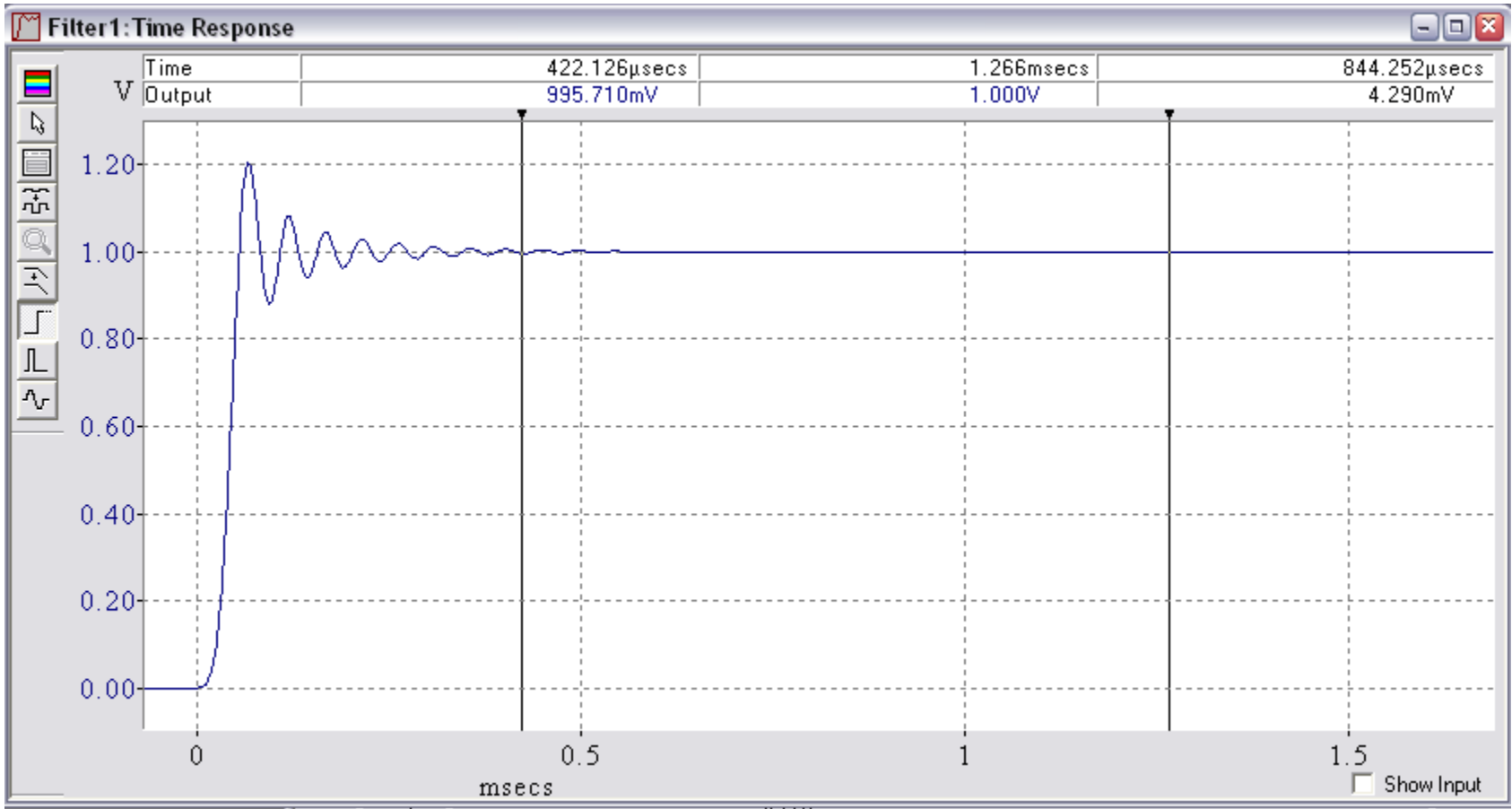
* = Device doesn't match design specification exactly.

Order = Filter order.
 Butt = Butterworth response.
 Bess = Bessel response.
 Elli = Elliptic response.
 LnPh = Linear phase response.
 Isup = Typical power supply current in mA at 25 degrees C.
 The '-25, -50, -200' numbers designate the clock to center

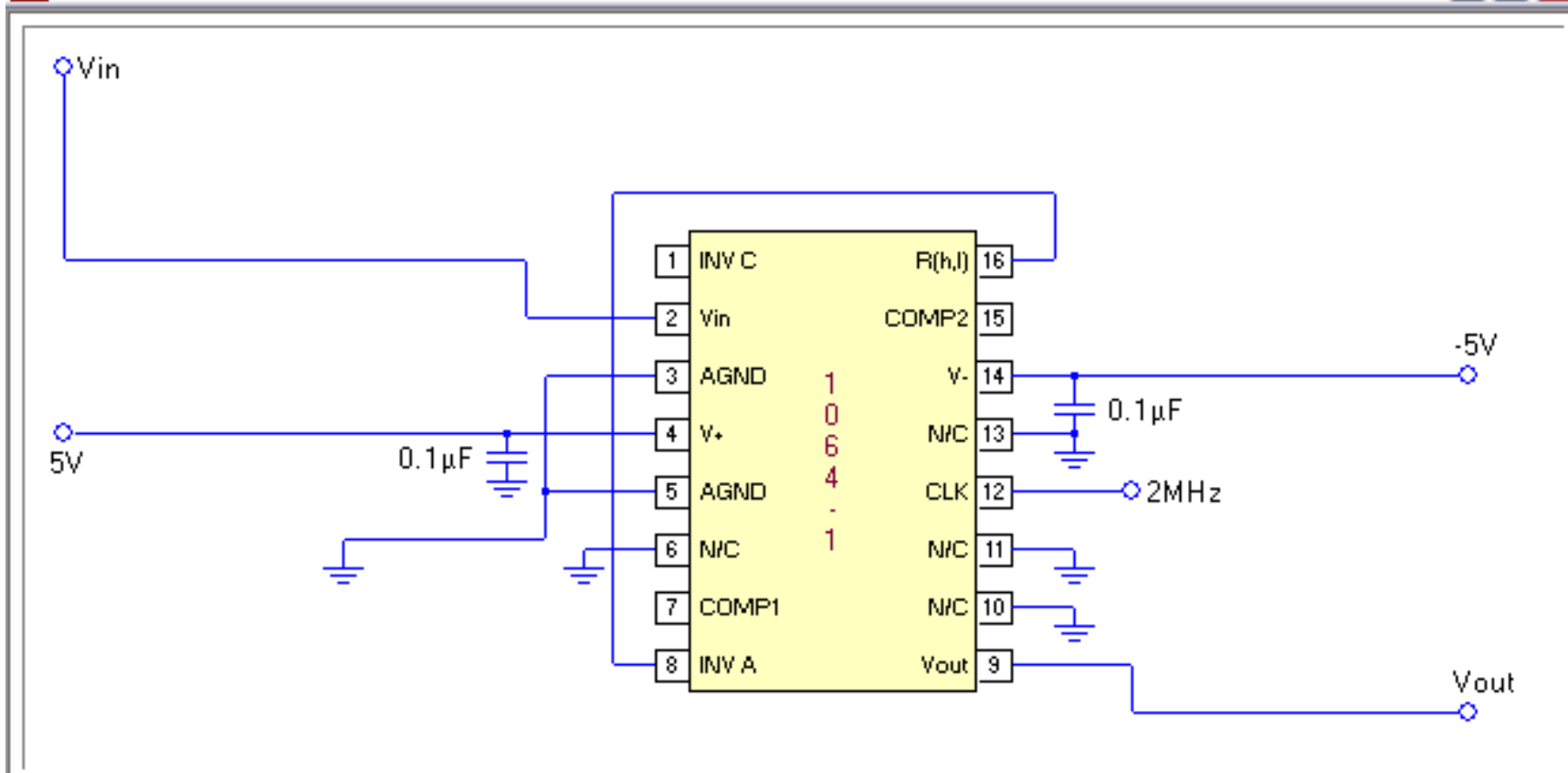
Modified NUM

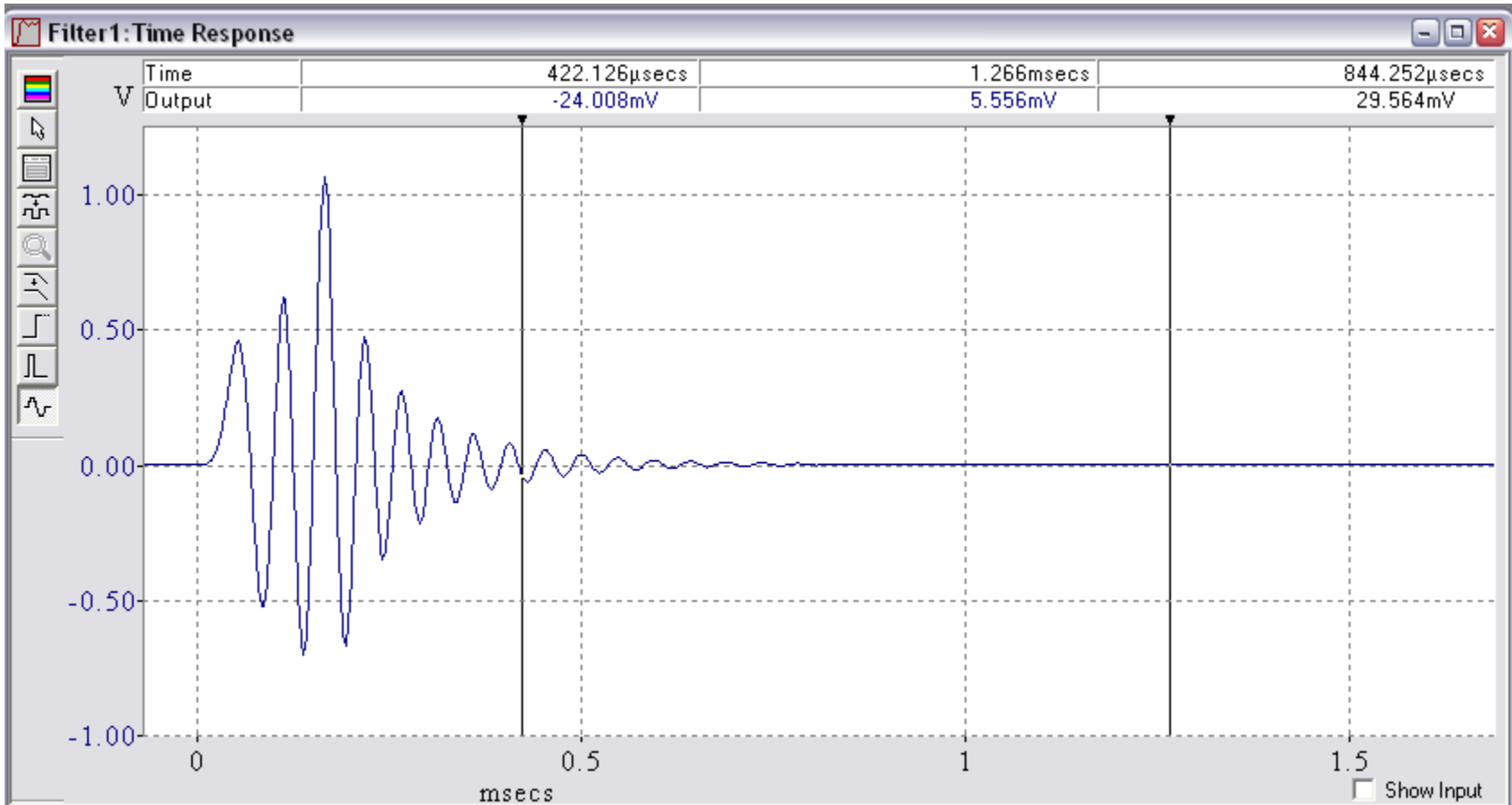






Filter1:Schematic





Filter1:Quick Implement

Switched Capacitor << Prev. Next >>

Part	Type	Order	I _{sup}	Package(s)	Comments
1569-6	Elli	10	12.0	S08	Int, DC, LnPh
1569-7	Elli	10	9.0	S08	Int, DC, LnPh
1064-1	Elli	8	12.0	PDIP14, SO16(w)	Int
1064-4	Elli	8	14.0	PDIP14, SO16(w)	Int

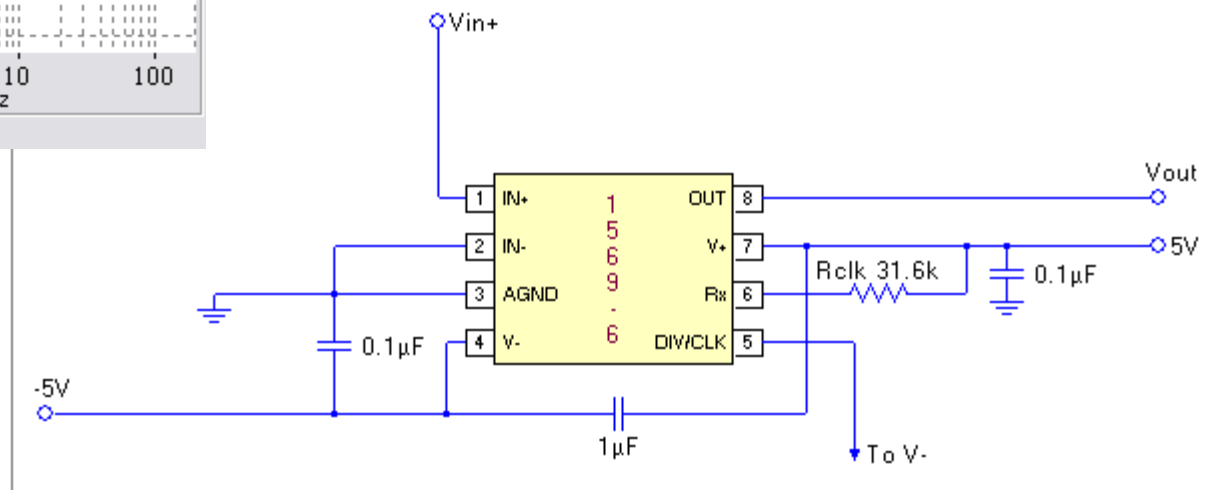
Active RC

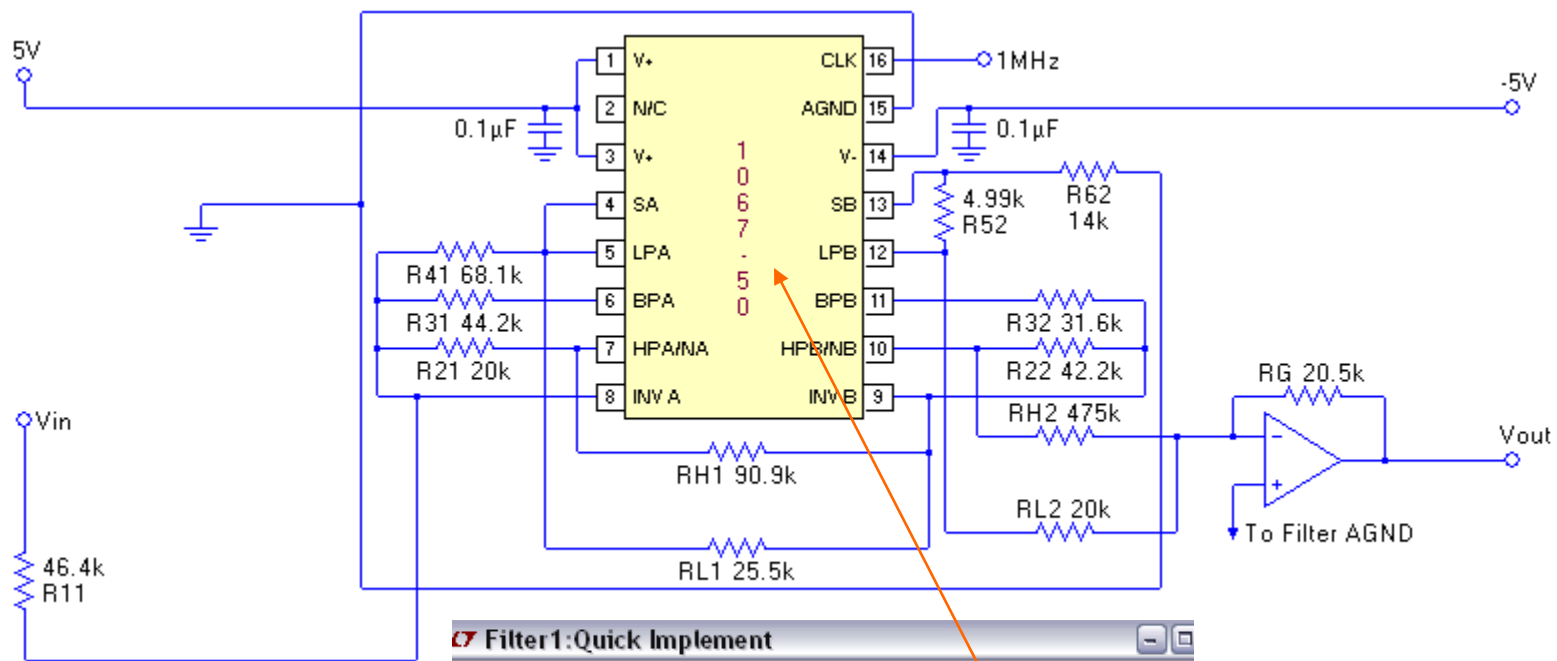
Part	Type	Order	I _{sup}	Package(s)	Comments
1562	Elli	4	14.0	PDIP16, SSOP20	Univ, DC, R-R, XOA
1563-2	Butt	8	2.2	SSOP16(n)	UnivLP, DC, R-R, x2

* = Device doesn't match design specification exactly.

Order = Filter order.
 Butt = Butterworth response.
 Bess = Bessel response.
 Elli = Elliptic response.
 LnPh = Linear phase response.
 I_{sup} = Typical power supply current in mA at 25 degrees C.
 The '-25, -50, -200' numbers designate the clock to center

atic





Filter1:Quick Implement

Switched Capacitor

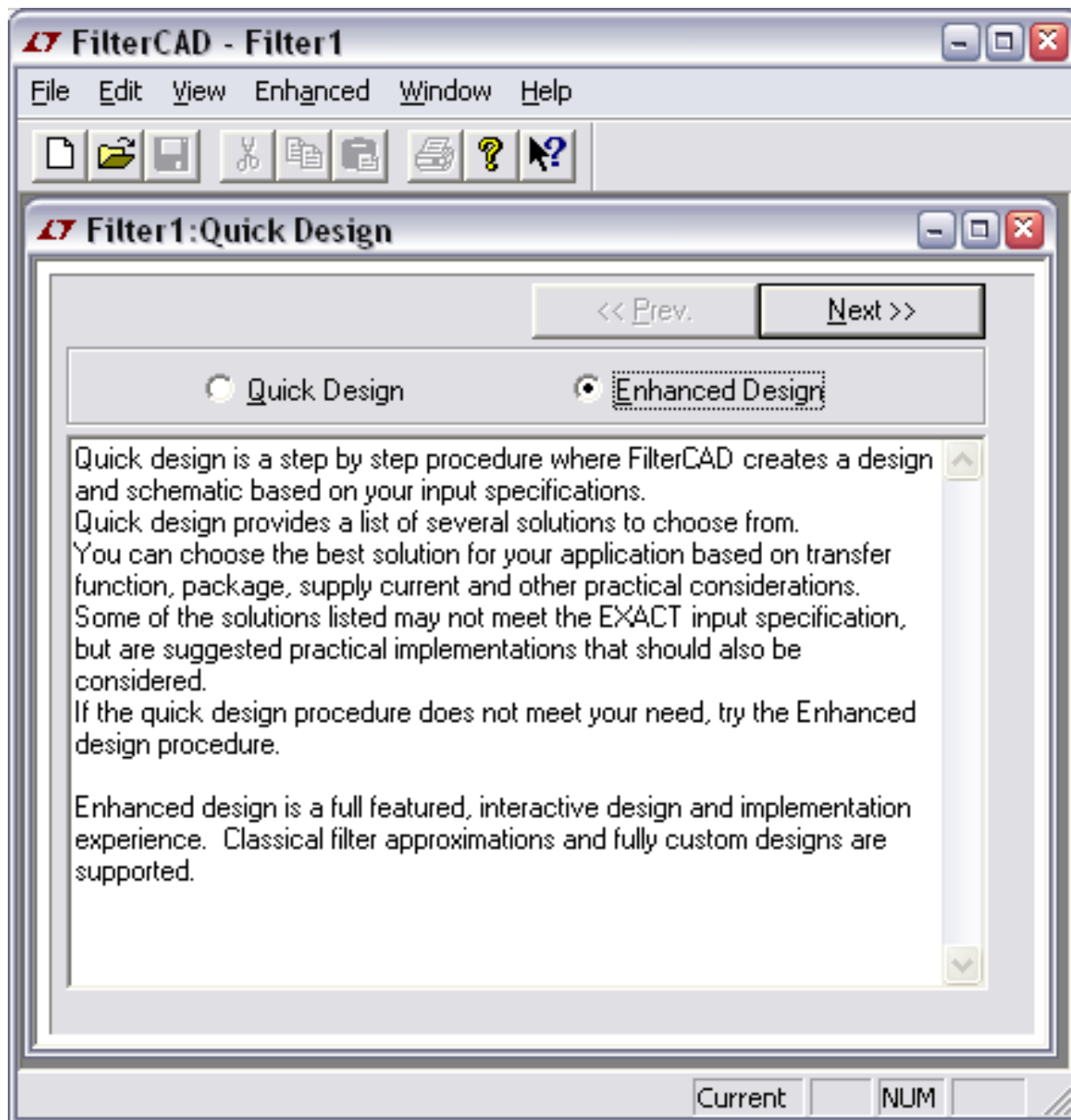
Part	Type	Order	Isup	Package(s)	Comments
1064-2	Butt	8	14.0	PDIP14, SO16(w)	Int
1164-5	Butt	8	4.5	PDIP14, SO16(w)	Int
1067-50	Elli	4	2.3	SO16, SSOP16(n)	Univ, R-R, XDA
*1264-7	Elli	8	14.0	PDIP14, SO16(w)	Int, LnPh

Active RC

Part	Type	Order	Isup	Package(s)	Comments
1562	Elli	4	14.0	PDIP16, SSOP20	Univ, DC, R-R, XDA
1563-2	Butt	8	2.2	SSOP16(n)	UnivLP, DC, R-R, x2

* = Device doesn't match design specification exactly.

Order = Filter order.
 Butt = Butterworth response.
 Bess = Bessel response.
 Elli = Elliptic response.
 LnPh = Linear phase response.
 Isup = Typical power supply current in mA at 25 degrees C.
 The '-25, -50, -200' numbers designate the clock to center



FilterCAD - Filter1

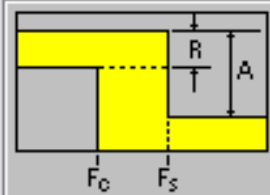
File Edit View Filter Window Help

Filter1: Enhanced Design

Untitled d

Filter Type

- Lowpass
- Highpass
- Bandpass
- Notch



Amplitudes (dB)

Passband Gain: 0

Passband Ripple (R): 0

Stopband Atten. (A): 40

Actual Atten. (at Fs): 42.1

Frequencies

Passband (Fc): 20

Stopband (Fs): 40

Hz kHz MHz

Response

- Butterworth
- Bessel
- Chebyshev
- Elliptic
- Min Q Elliptic
- Custom

Order

7

>16

Coefficients

Fo	Q	Fn
20.0000	-	-
20.0000	2.2470	INF
20.0000	0.8019	INF
20.0000	0.5550	INF
.	.	.
.	.	.
.	.	.

Edit window title

Modified NUM

FilterCAD - Filter1

File Edit View Filter Window Help

Filter1: Enhanced Design

Untitled

Filter Type

- Lowpass
- Highpass
- Bandpass
- Notch

Amplitudes (dB)

Passband Gain: 0

Passband Ripple (R): 0.1

Stopband Atten. (A): 40

Actual Atten. (at Fs): 43.4

Frequencies

Passband (Fc): 20

Stopband (Fs): 25

Hz kHz MHz

Response

- Butterworth
- Bessel
- Chebyshev
- Elliptic
- Min Q Elliptic
- Custom

Order	Coefficients
>16	Fo: 13.3826
>16	Q: 0.6294
>16	Fn: 77.4384
11	18.5215
11	1.8728
11	20.7765
11	8.5342

Filter Type

- Lowpass
- Highpass
- Bandpass
- Notch

Amplitudes (dB)

Passband Gain: 0

Passband Ripple (R): 0.1

Stopband Atten. (A): 40

Actual Atten. (at Fs): 34.0

Frequencies

Passband (Fc): 20

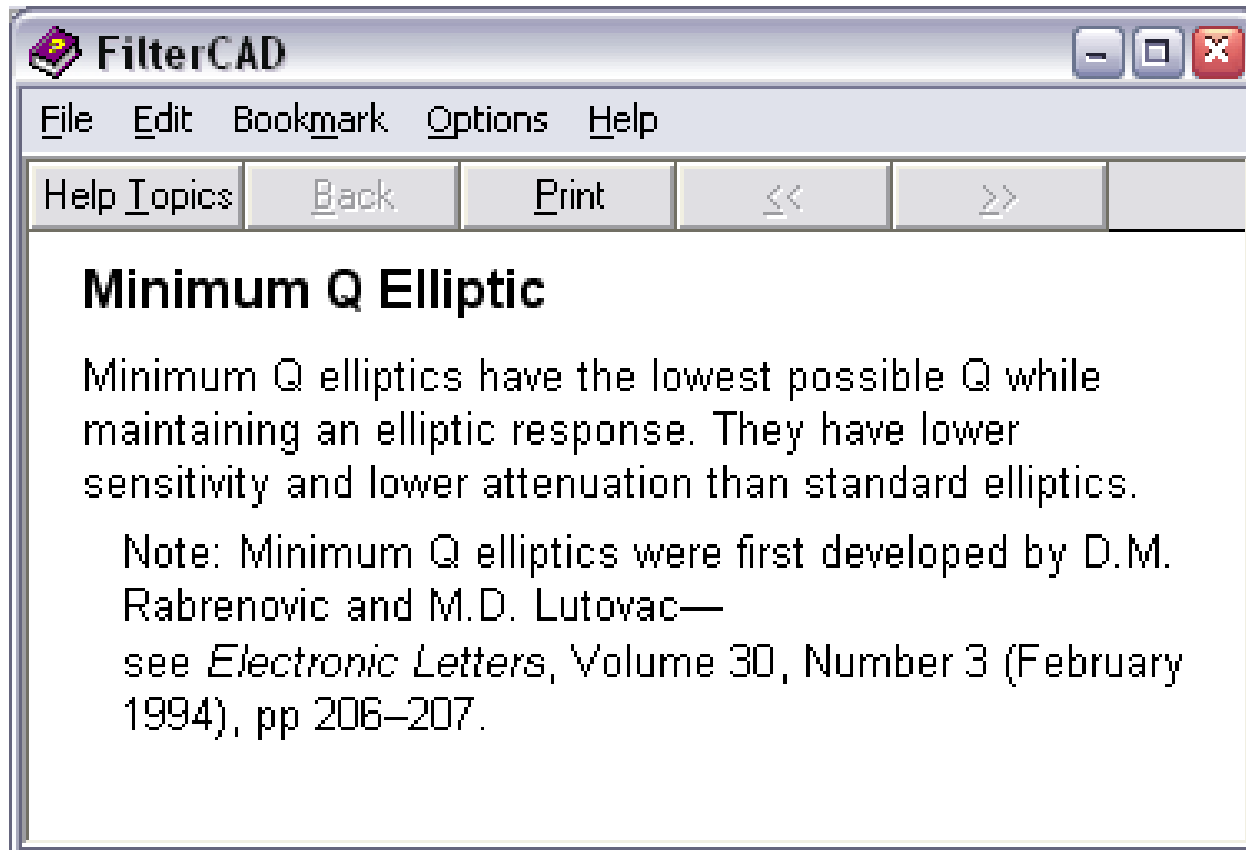
Stopband (Fs): 25

Hz kHz MHz

Response

- Butterworth
- Bessel
- Chebyshev
- Elliptic
- Min Q Elliptic

Order	Coefficients
>16	Fo: 21.3975
>16	Q: -
>16	Fn: 51.2227
11	21.3975
11	0.7225
11	1.6616
11	6.2586
6	21.3975
6	-
6	-
7	21.3975
7	-
7	-
7	-



FilterCAD - Filter1

File Edit View Implement Window Help

Filter1: Enhanced Implement

Untitled

Filter Response: Min Q Elliptic
 Filter Type: Lowpass
 Order: 7

Passband Ripple: 0.100dB
 Stopband Attenuation: 40.000dB
 Passband Frequency: 20.000kHz
 Stopband Frequency: 25.000kHz

Switched Capacitor Active RC

IC	Ratio	Supply	Clock	IC	Supply
1068	100 : 1	+/-5.0V	2000 kHz	1562	+/-5.0V

Package: SSOP28 Temp. Range: 0 to 70 Standard Resistor Values Low Power

Mode Selection

Fo	Q	Fn	Qn	type	mode	Rnrm
21.3975	-	-	-	LP1	LPi1	-
21.3975	1.6616	30.5501	-	LPN	2n	10
21.3975	6.2586	25.8605	-	LPN	2n	10
21.3975	0.7225	51.2227	-	LPN	2n	10
-	-	-	-	-	-	-
-	-	-	-	-	-	-
-	-	-	-	-	-	-
-	-	-	-	-	-	-

Edit window title Modified NUM

FilterCAD - Filter1

File Edit View Implement Window Help

Filter1:Enhanced Implement

Untitled

Filter Response: Min Q Elliptic
 Filter Type: Lowpass
 Order: 7

Passband Ripple: 0.100dB
 Stopband Attenuation: 40.000dB
 Passband Frequency: 20.000kHz
 Stopband Frequency: 25.000kHz

Switched Capacitor Active RC

IC	Ratio	Supply	Clock	IC	Supply
1068	100:1	+/-5.0V	2000 kHz	1562	+/-5.0V

Package: SSOP20 Temp. Range: 0 to 70 Standard Resistor Values Low Power

Mode Selection

Fo	Q	Fn	Qn	type	OFT
21.3975	-	-	-	LP1	LPT
21.3975	1.6616	30.5501	-	LPN	RCN3
21.3975	6.2586	25.8605	-	LPN	RCN2
21.3975	0.7225	51.2227	-	LPN	RCN2
500.0000	-	-	-	LP1	LPo1a
-	-	-	-	-	-
-	-	-	-	-	-
-	-	-	-	-	-

Modified NUM

